

COMP-ECO Workshop

Smart structures – health monitoring and self-sensing capabilities of composites

26th October 2023 in Delft, the Netherlands



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Aerospace Structures & Materials Department

Smart Structures – Health Monitoring & Self-sensing Capabilities of Composites

MAIN FOCUS OF WORKSHOP

- Fibre optic sensing for smart structures
- Guided wave ultrasonic sensing for smart structures

SCHEDULE

- 13:30 Lecture on Fibre optic sensing (Lecture Room F)
- 14:15 Coffee Break
- 14:30 Lecture on Guided wave ultrasonic sensing (Lecture Room F)
- Lab Demonstrations
 - 15:30 Group 1: Fibre Optic Sensing; Group 2: Ultrasonic Sensing
 - 16:00 Group 1: Ultrasonic Sensing; Group 2: Fibre Optic Sensing
- 16:30 Round-up of Smart Structures workshop (Lecture Room F)



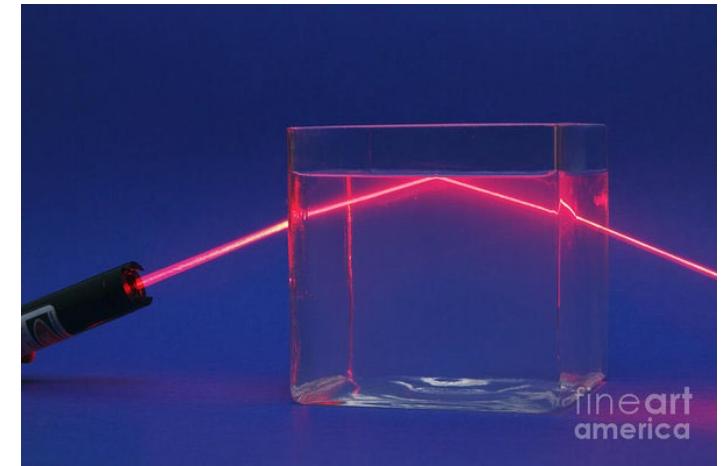
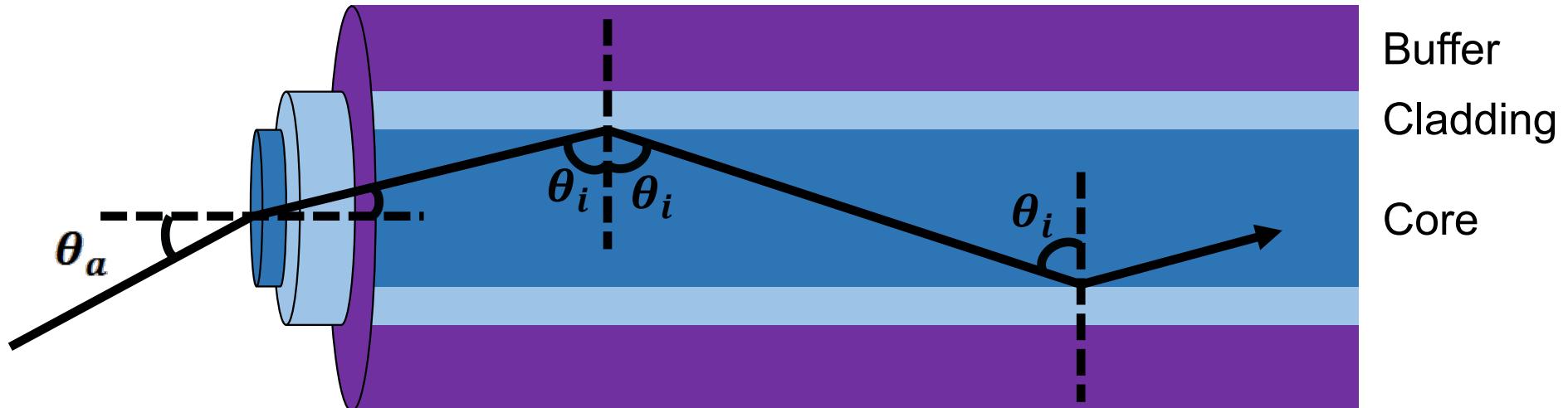
Part 1: Fibre optic sensing for smart structures

Total Internal Reflection

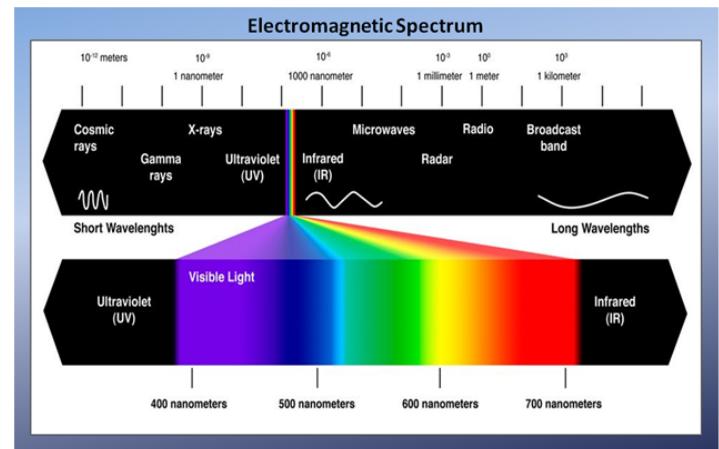
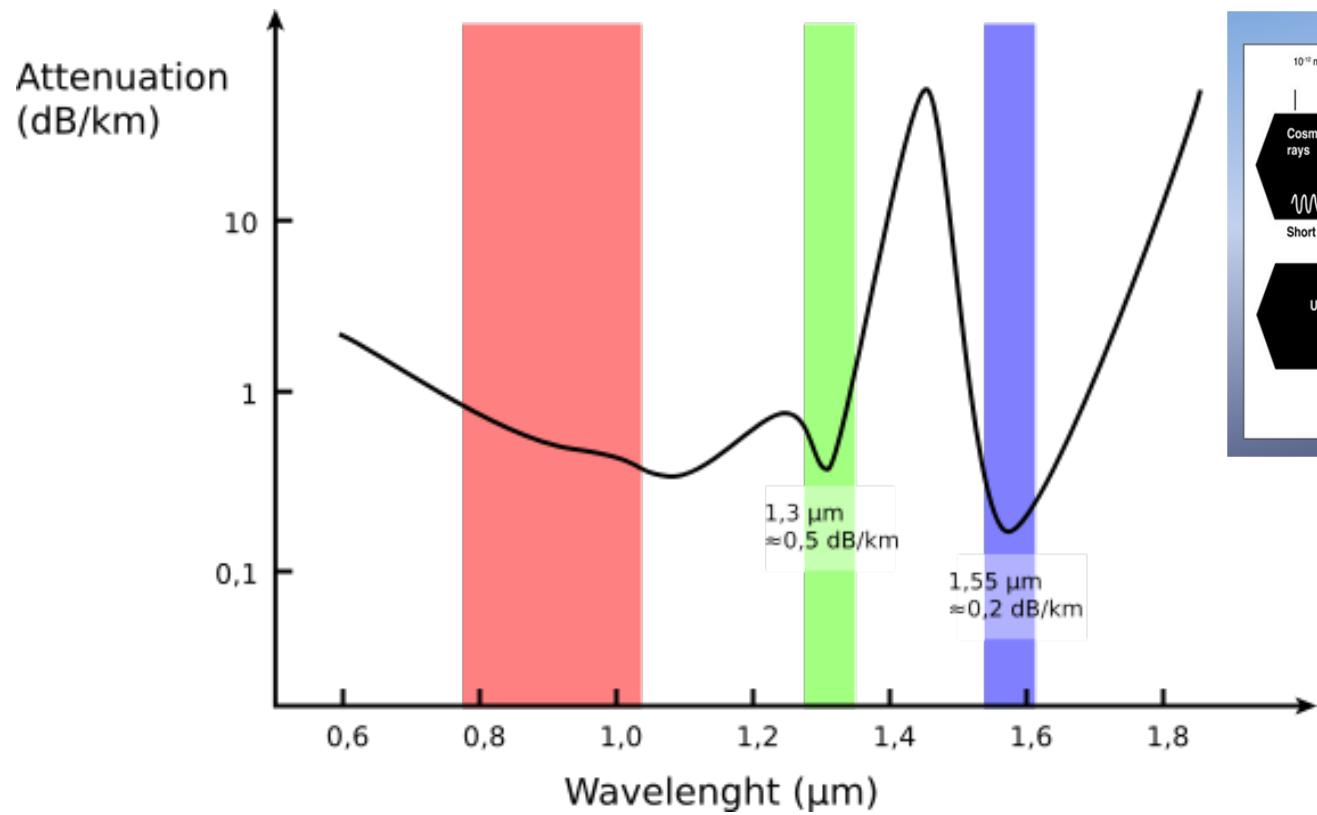


$$n_{\text{core}} > n_{\text{cladding}}$$

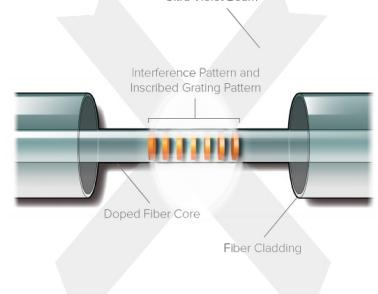
- $\theta_i > \theta_c \rightarrow \sin \theta_c = n_{\text{cladding}} / n_{\text{core}}$



Attenuation of light in optical fibers

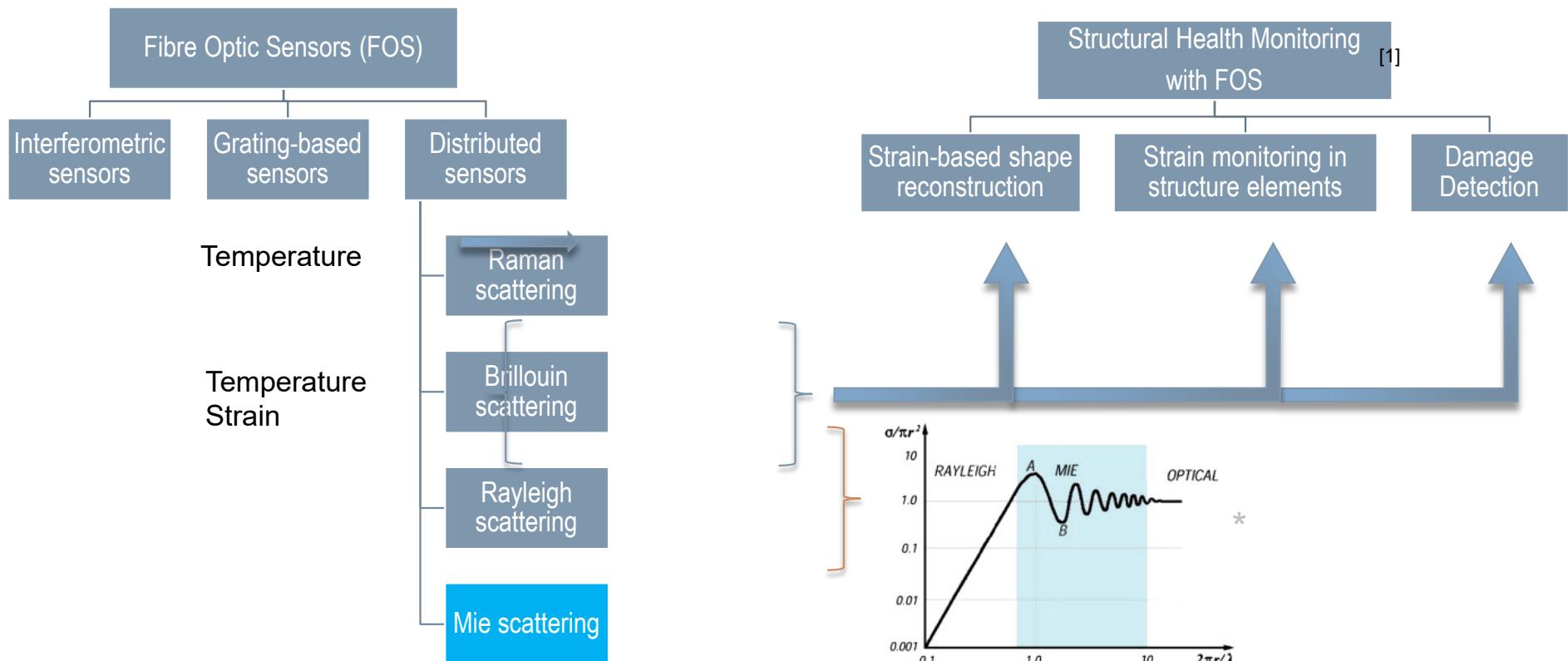


- $3\text{dB} = 50\%$
- $1\text{ dB} = 10\%$

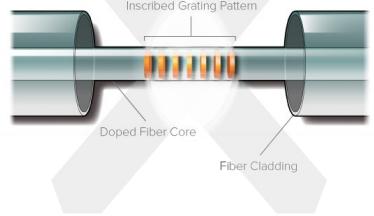
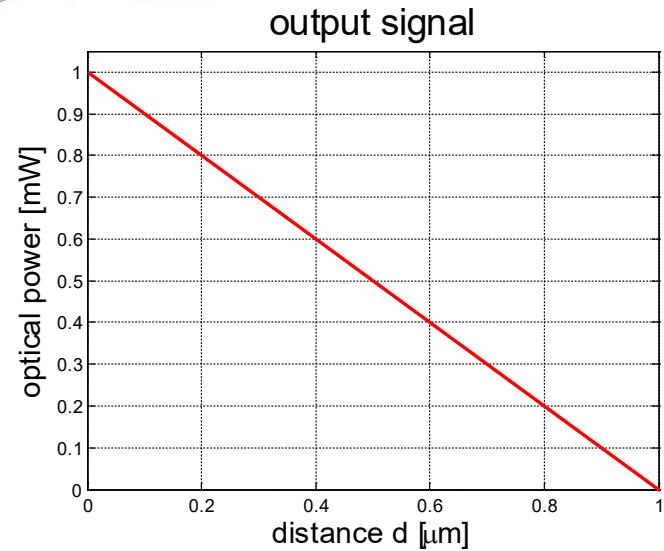
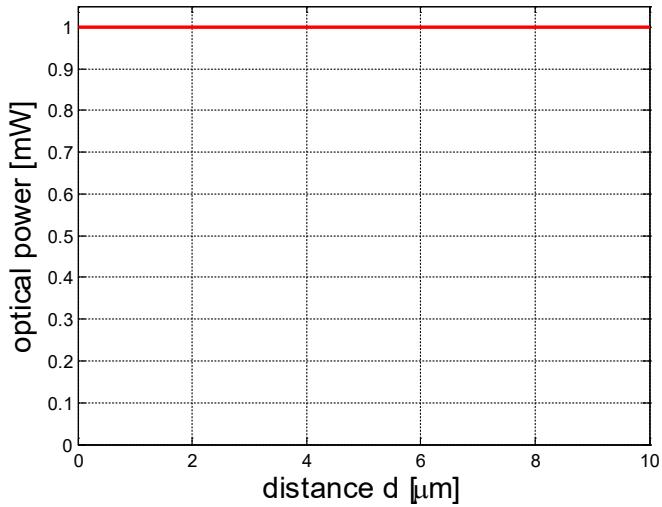
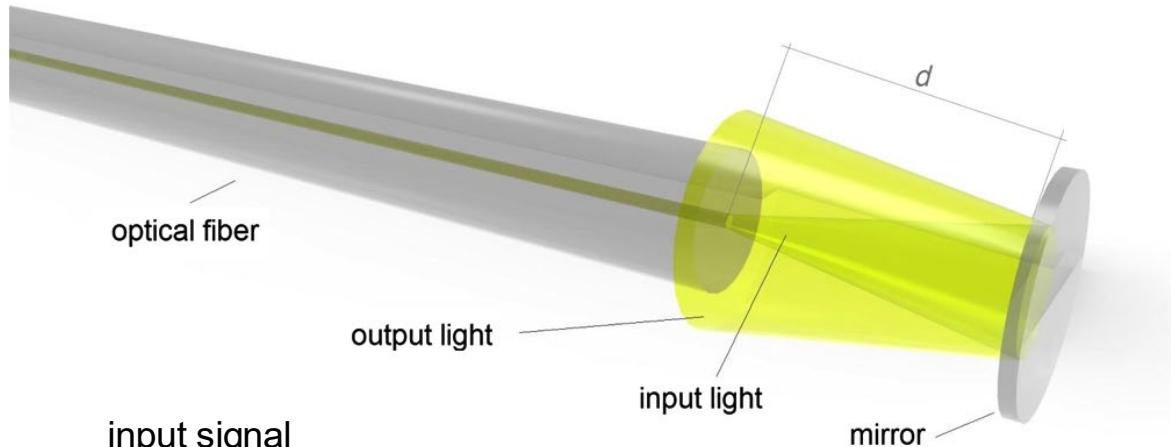


Fibre optic sensing principles

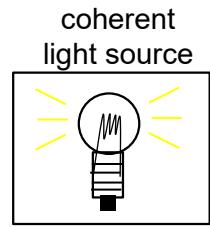
Types of Fibre Optic Sensors



Optical fiber intensity sensor

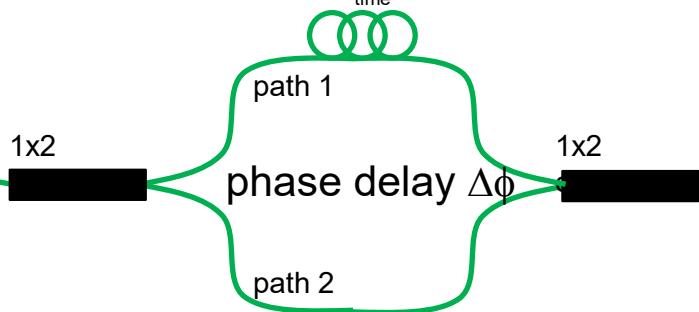
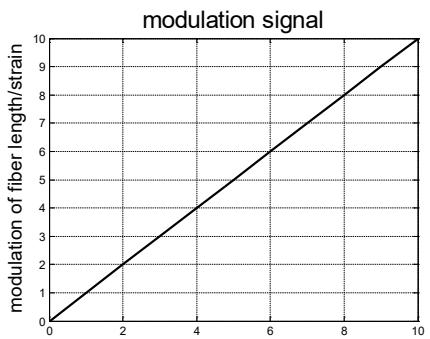


Optical fiber phase sensor

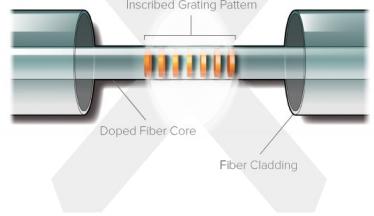
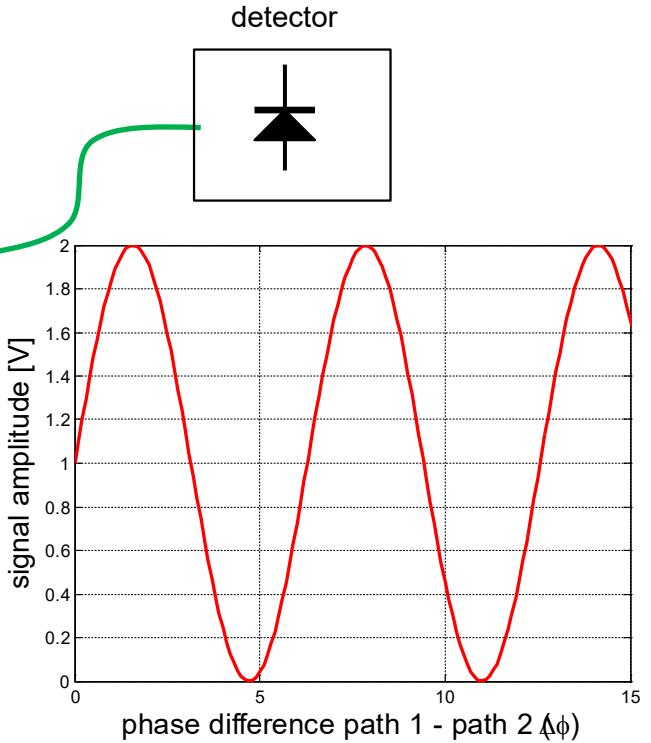


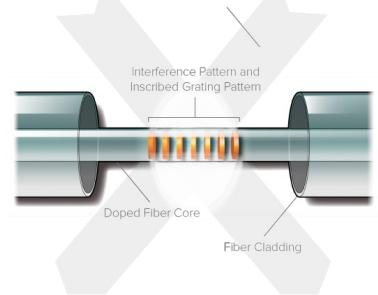
$$\phi = \frac{2\pi \cdot n \cdot L}{\lambda}$$

$$\delta\phi = \frac{2\pi}{\lambda} \delta(n \cdot L)$$



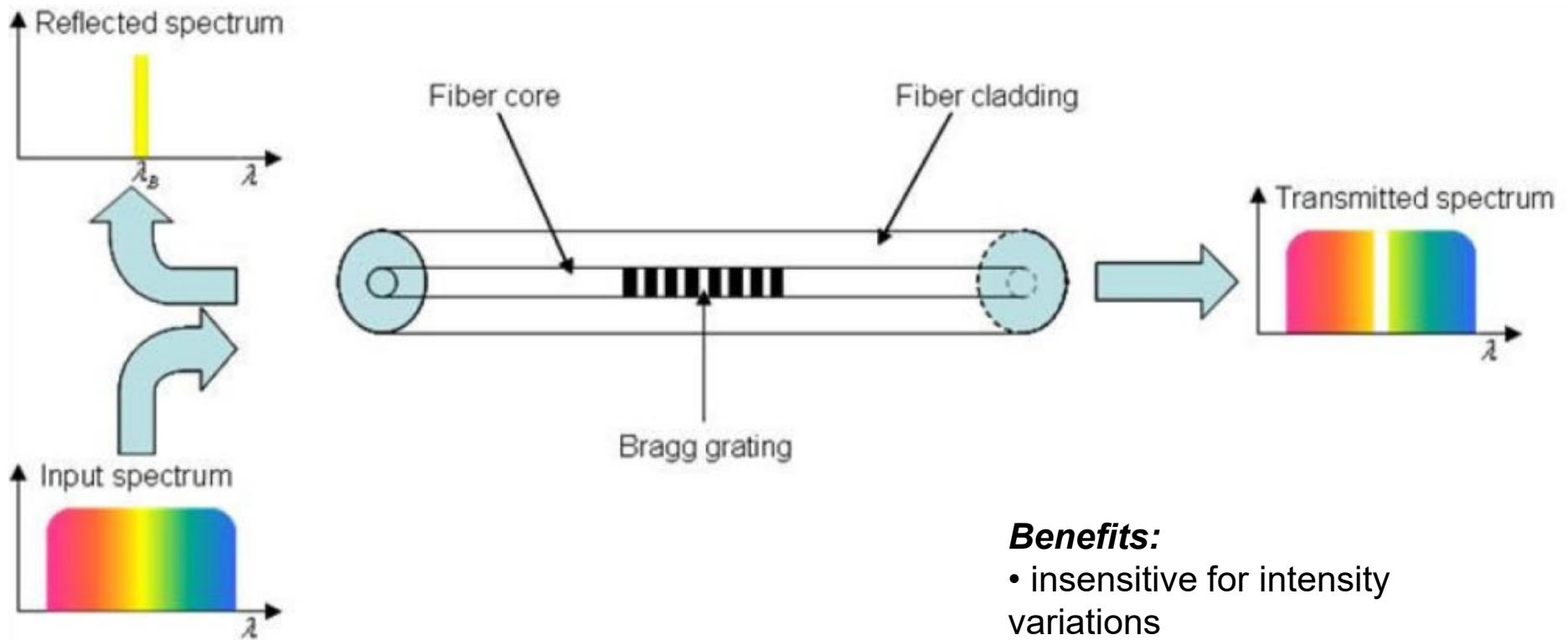
$$L = |\text{path1} - \text{path2}|$$





Optical fiber wavelength sensor

Fiber Bragg Grating (FBG)

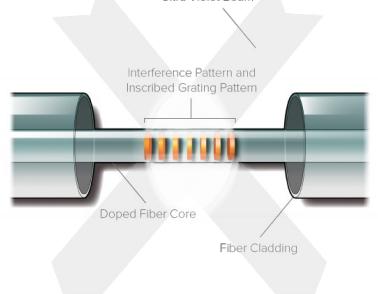


Benefits:

- insensitive for intensity variations
- multiplexing capabilities

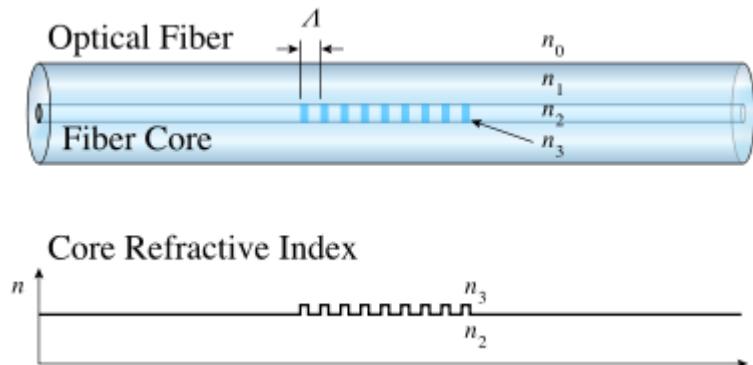
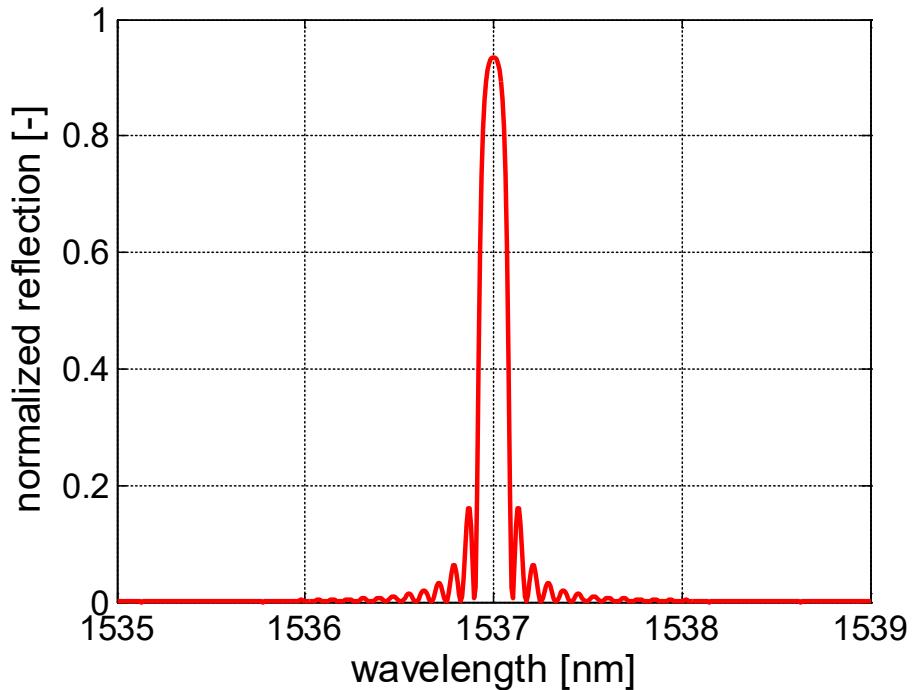
Drawbacks:

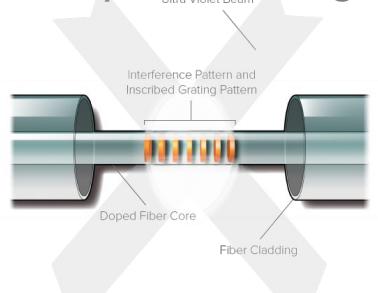
- expensive read out equipment



Optical fibre sensor – focus on FBG's

$$\lambda_B = 2 \cdot n_{\text{eff}} \cdot \Lambda$$





Optical fibre sensor – focus on FBG's

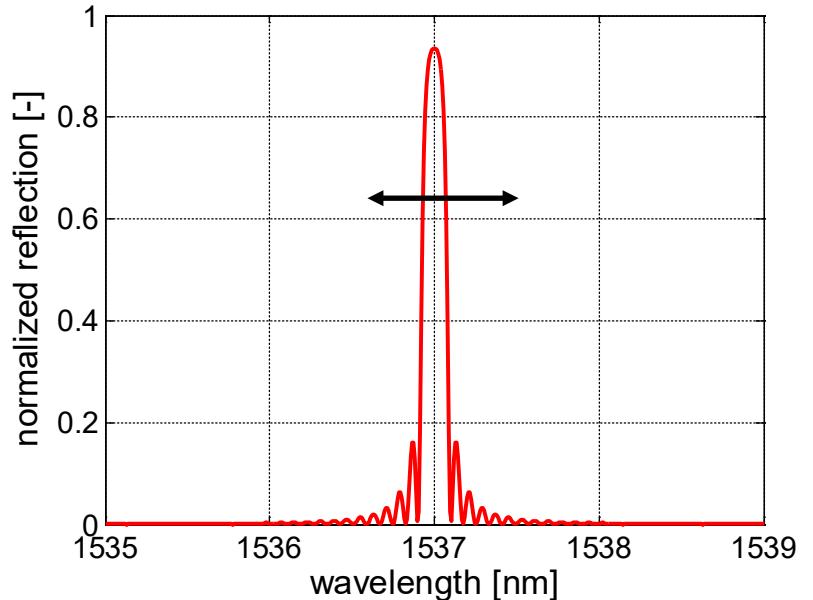
$$\lambda_B = 2 \cdot n_{\text{eff}} \cdot \Lambda$$

strain (ε) sensitivity :

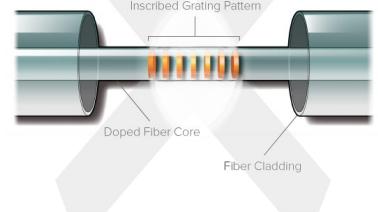
- $\frac{\Delta L}{L} = \varepsilon \rightarrow \frac{\delta \lambda_B}{\delta \varepsilon} = 1.2 \text{ pm}/\mu\varepsilon$

temperature (K) sensitivity:

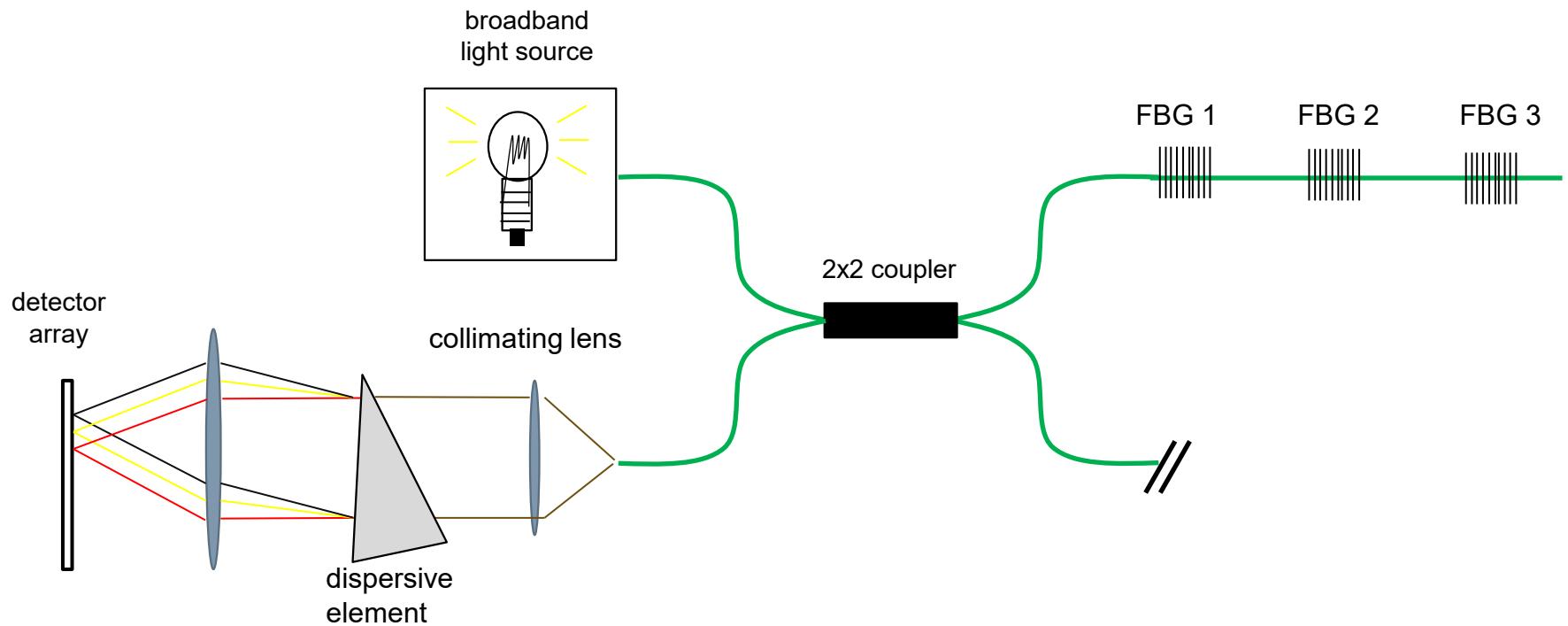
- $\frac{\delta \lambda_B}{\delta T} \approx 10 \text{ pm}/K$

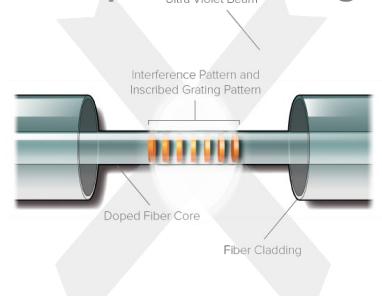


Optical fibre sensor – Wavelength detection



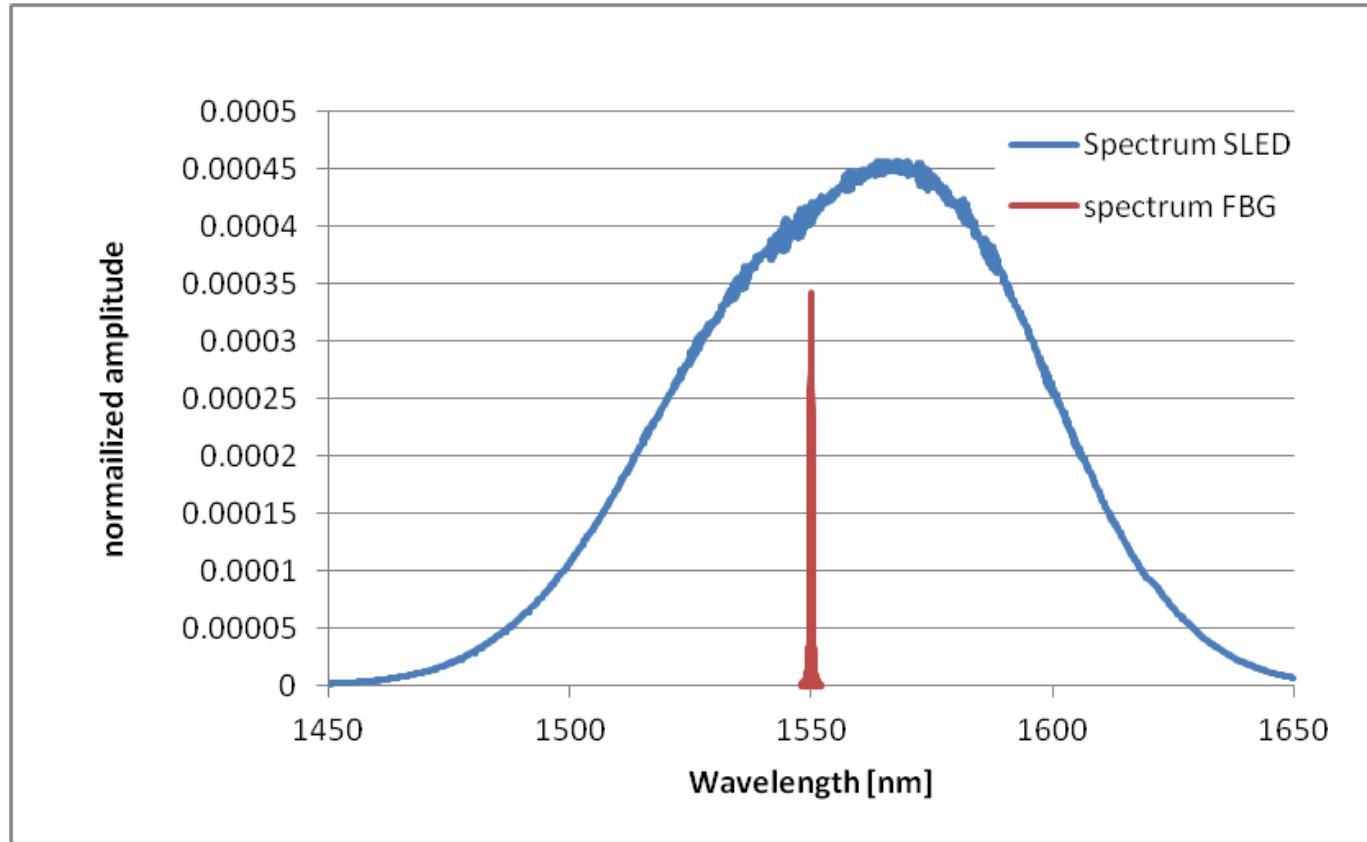
interrogator concept 1: spectrometer design





Optical fibre sensor – Wavelength detection

spectrometer design



Benefits:

- all FBG's interrogated simultaneously

Drawbacks:

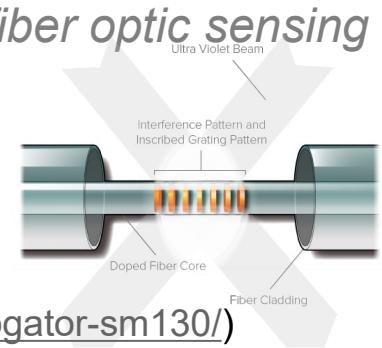
- >99% of the light is lost

Optical fibre sensor – Wavelength detection

Many different commercial interrogators available:

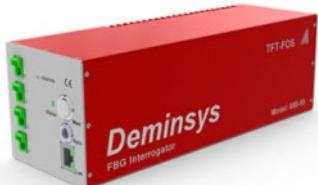
- MicronOptics (<http://www.micronoptics.com/product/dynamic-optical-sensing-interrogator-sm130/>)
- SmartFibres (<https://www.smartfibres.com/docs/SmartScan.pdf>)
- HBM FiberSensing (<https://www.hbm.com/en/2322/optical-interrogators-from-hbm-fibersensing/>)
- Redondo (http://www.redondo optics.com/FBGT_060209.pdf)
- National Instruments (<http://sine.ni.com/nips/cds/view/p/lang/nl/nid/209012>)
- FAZtechnology (<http://www.faztechnology.com/products/interrogators/fazt-v4/>)
- Technobis (<http://www.technobis.com/index.php/products/extreme-fiber-sensing/gator-basic-fbg-interrogator/>)
- ATgrating (<http://www.atgrating.com/en/productview.asp?id=87>)
- Bayspec (<http://www.bayspec.com/telecom-fiber-sensing/fbg-interrogation-analyzer/>)
- Proximion (<http://www.proximion.com/fiber-optic-sensors/>)
- Epsilonoptics (<http://www.epsilonoptics.com/interrogators.html>)
- and many more

Note: >95% of the interrogators are based on concept 2 – scanning laser

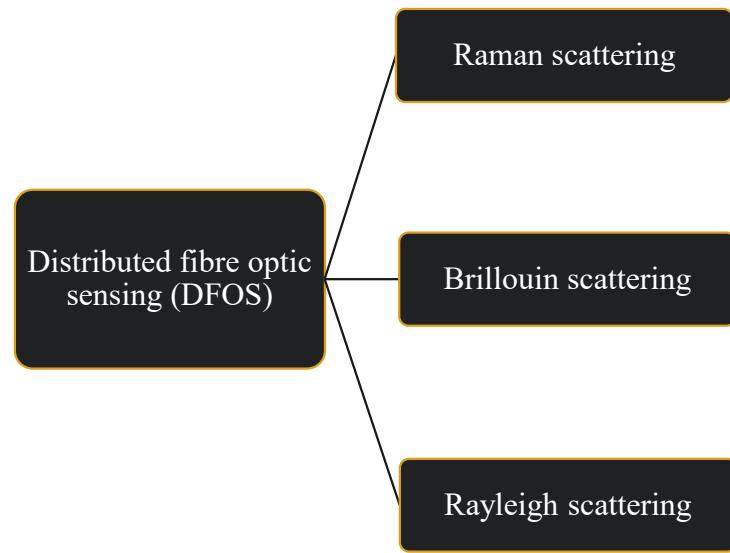
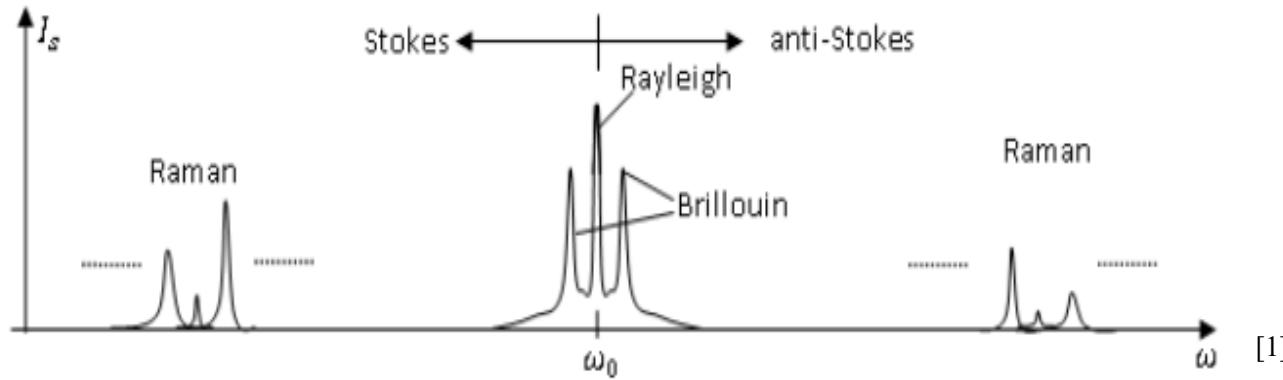


TU Delft

Aero
NDT



Rayleigh, Raman and Brillouin Scattering



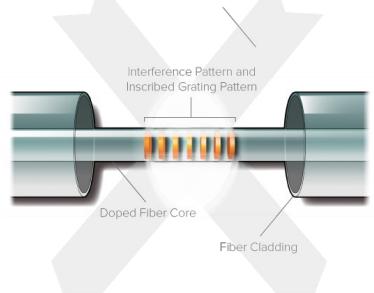
$$\frac{I_{AS}}{I_S} = \left(\frac{\lambda_S}{\lambda_{AS}}\right)^4 e^{-\frac{\hbar\omega_M}{k_B T}} \quad [1]$$

$$\Delta\nu_B = C_T \Delta T + C_\varepsilon \Delta \varepsilon \quad [1]$$

$$\frac{\Delta\lambda}{\lambda} = K_T \Delta T + K_\varepsilon \Delta \varepsilon \quad [2]$$

[1] X. Bao and L. Chen, "Recent Progress in Distributed Fiber Optic Sensors," *Sensors (Switzerland)*, vol. 12, no. 7, pp. 8601–8639, 2012.

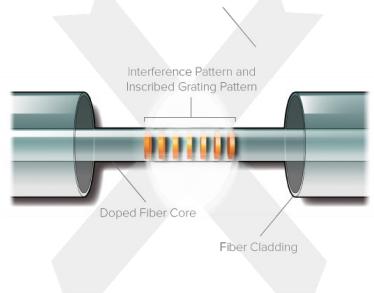
[2] S. T. Kreger, A. K. Sang, D. K. Gifford, and M. E. Froggatt, "Distributed strain and temperature sensing in plastic optical fiber using Rayleigh scatter," *Fiber Opt. Sensors Appl. VI*, vol. 7316, no. April 2009, p. 73160A, 2009.



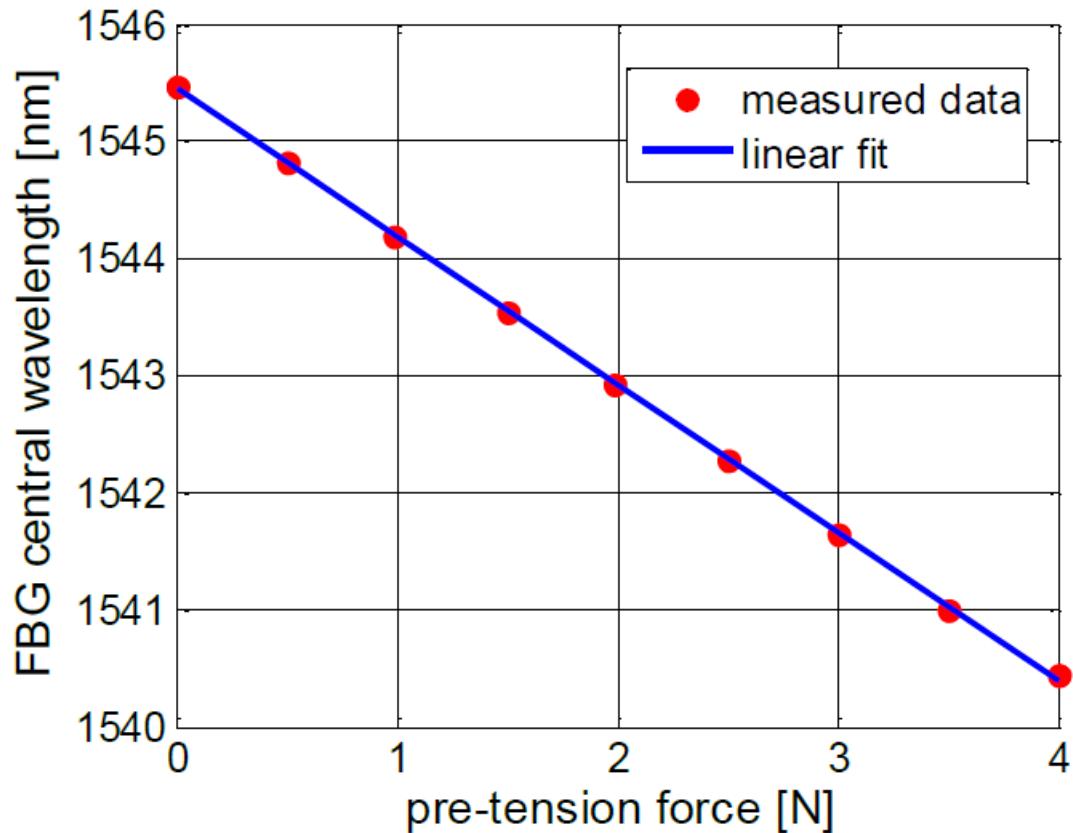
RI modulation

$$\lambda_B = n_{\text{eff}}(\lambda) \cdot \Lambda_{\text{pm}}$$

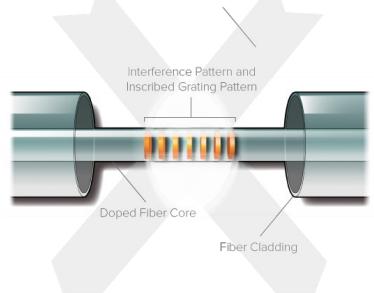




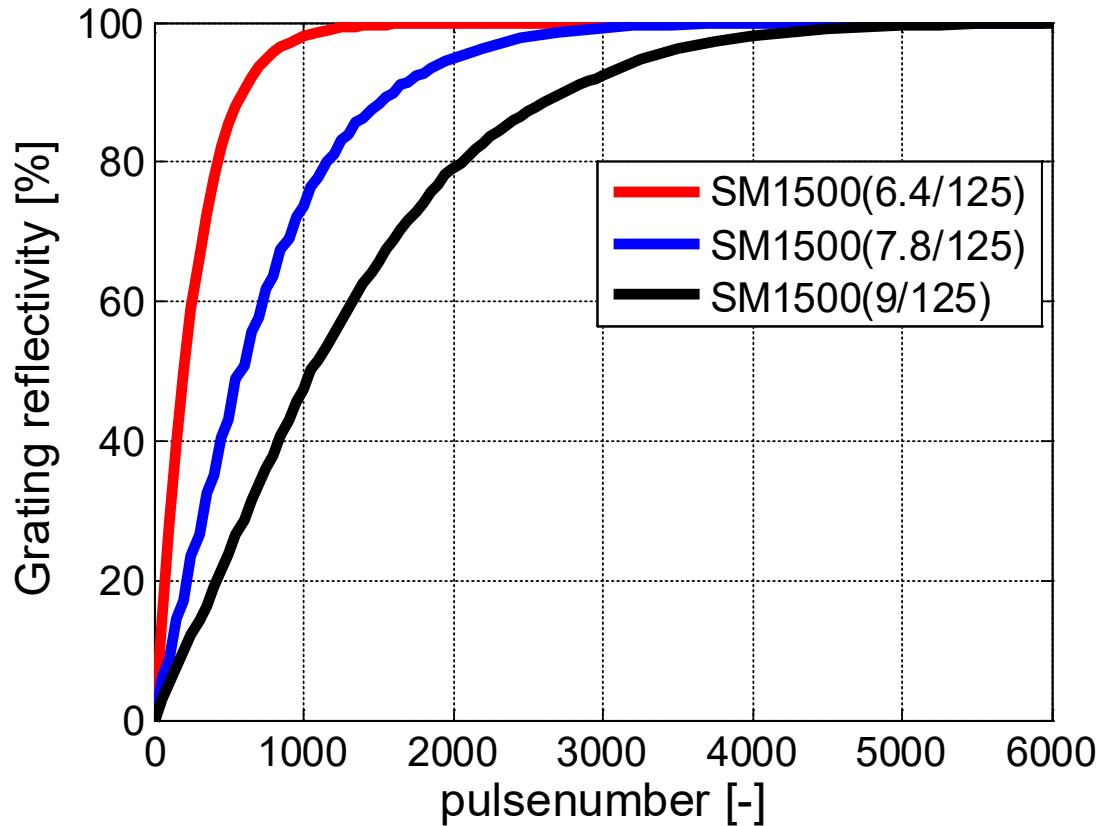
Fibre pretension



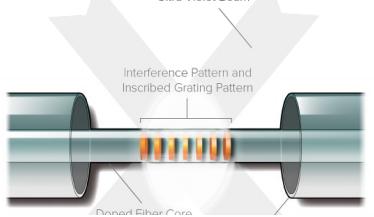
~5nm λ_B correction



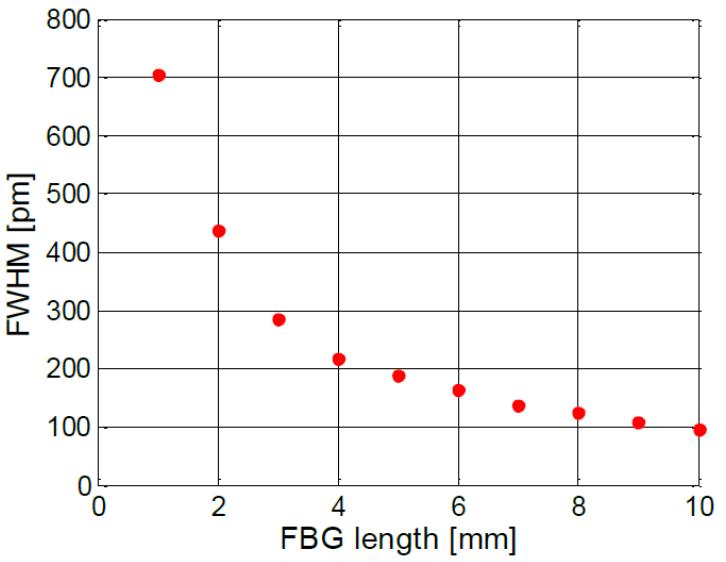
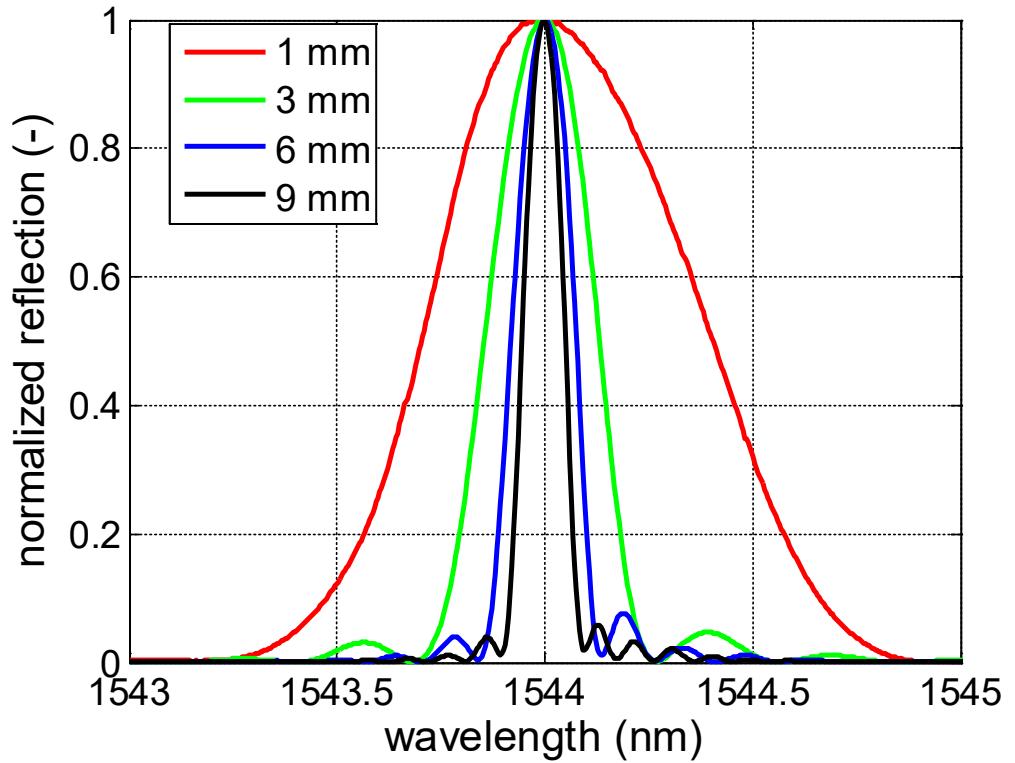
Reflectivity

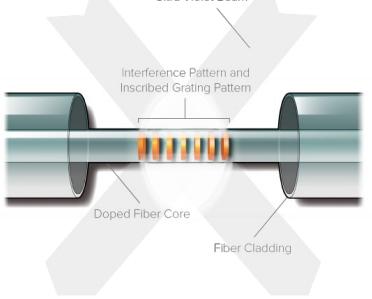


- Repetition rate of UV laser is 500 Hz



Grating length





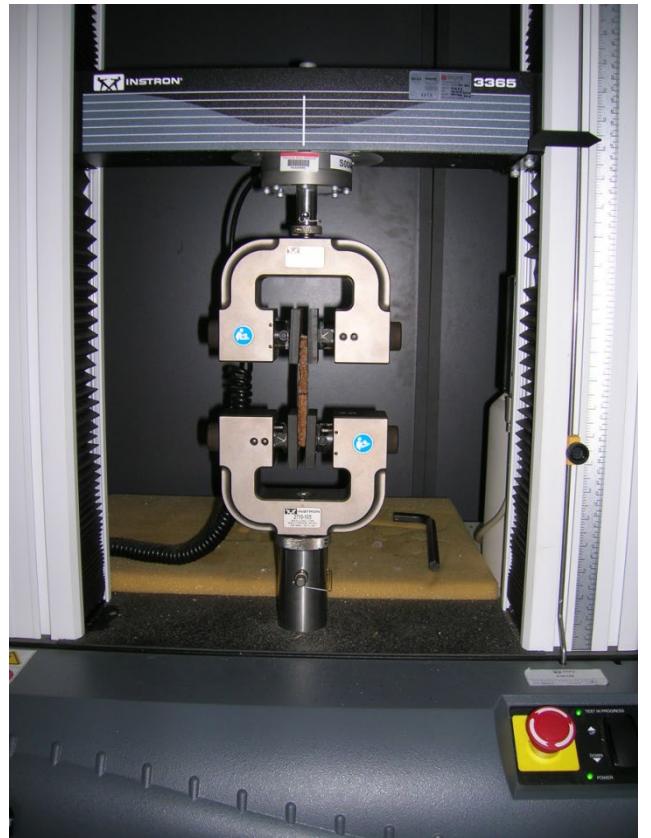
Fibre break strength

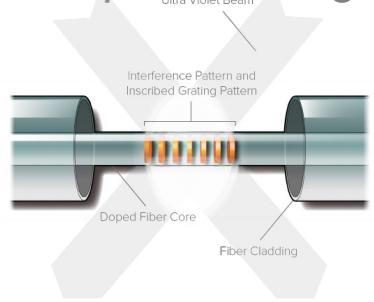
- Break strength of pristine fiber ~60N
- Stripping and recoating reduces fiber strength to
~10-15 N

$$\varepsilon = \frac{F}{E \cdot A}$$

Annotations for the equation:

- 'force on fiber' points to the force term F
- 'fiber strain' points to the symbol ε
- 'Youngs modulus (72GPa)' points to the symbol E
- 'fiber surface = $(\pi/4) \cdot \text{diameter}^2$ ' points to the area term A

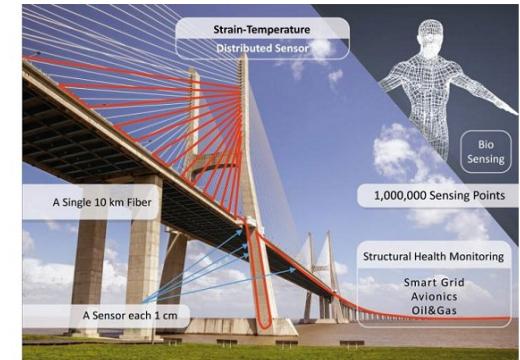


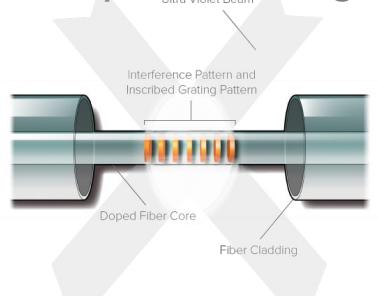


Fibre optic sensing applications

Introduction

Fibre optic sensing can obtain parameters such as strain, temperature, etc. for Structural Health Monitoring.





Research of PhD

Nakash Nazeer

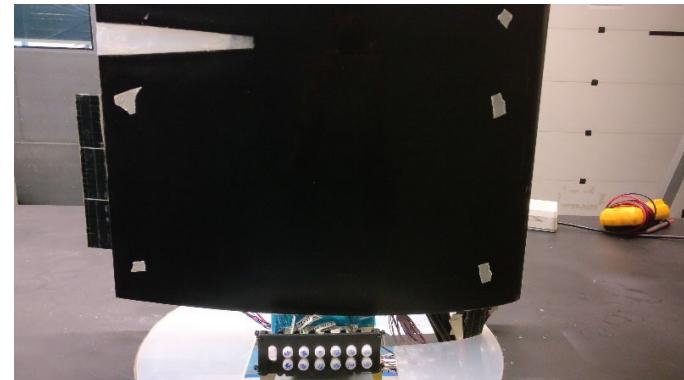
SmartX Morphing Wing



6 individual
morphing
sections

Section #1

Upper wing section view
Morphing section #1

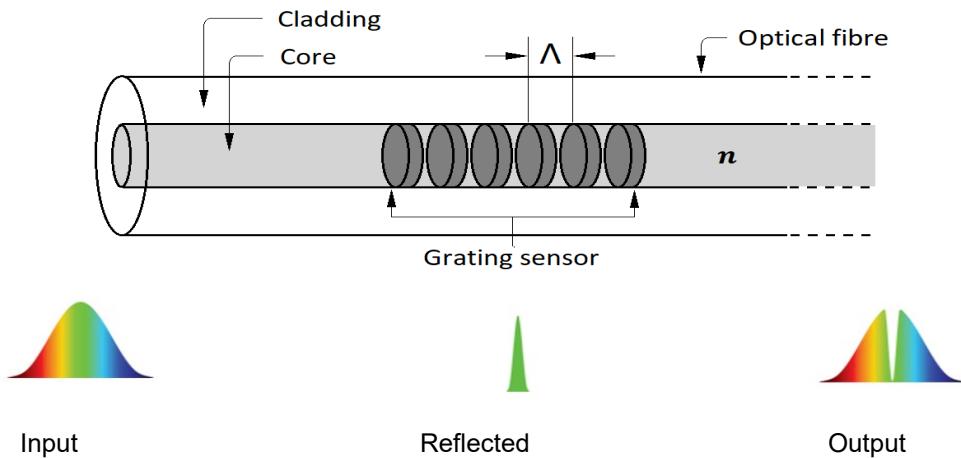


Lower wing section view
Morphing section #1

Sensor Principles

Bragg Grating

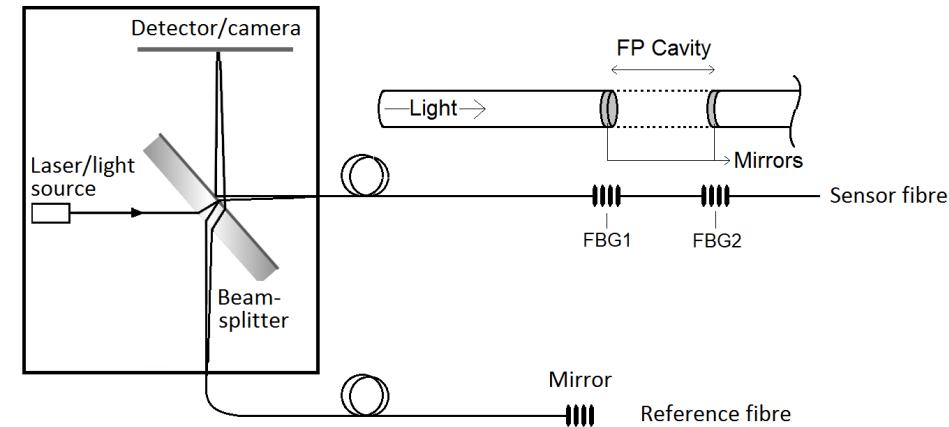
$$\lambda_B = 2n_{eff}\Lambda$$



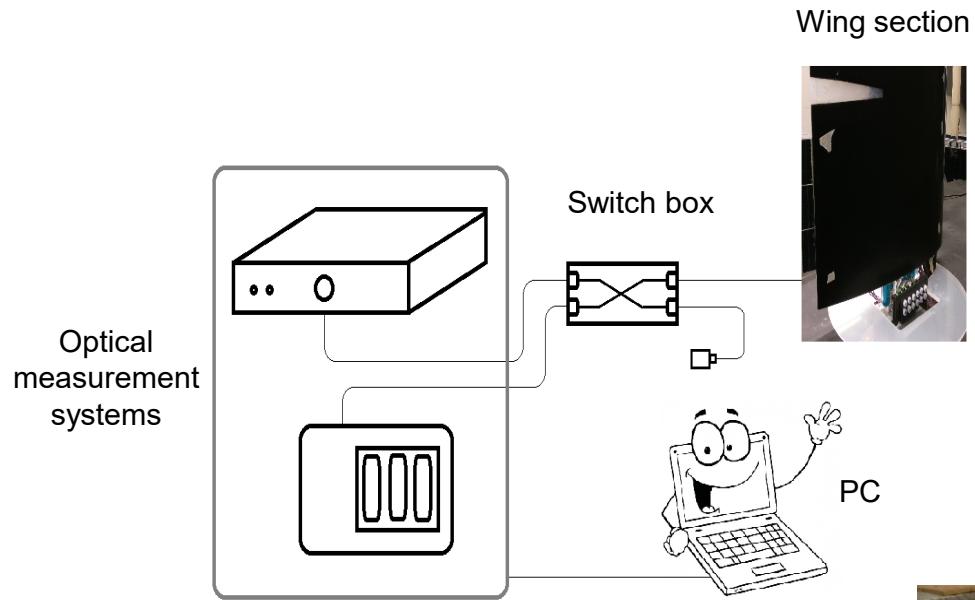
Λ : Periodic spacing
 λ_B : Grating wavelength
 n_{eff} : Core refractive index

Fabry-Pérot

$$\Delta\varepsilon = \frac{\Delta\lambda_{BS}}{(1 - \rho_a)\lambda_B}$$
$$\varepsilon = \frac{\Delta d}{L}$$

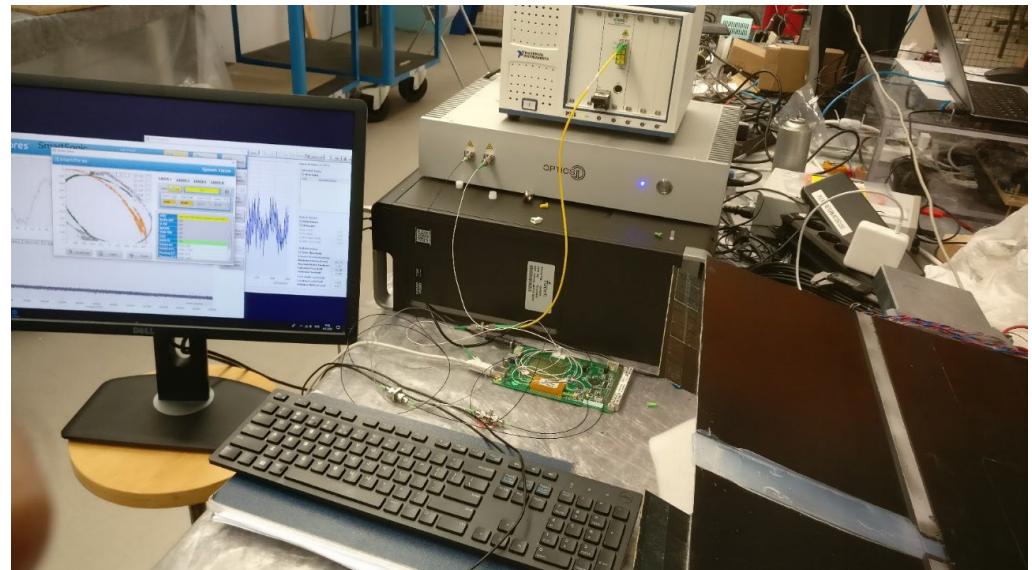


Experimental Setup



Test conditions

- Static tests
- Only morphing section #1 considered
- Offline measurement (Not in the wind tunnel)



Bend up and bend down

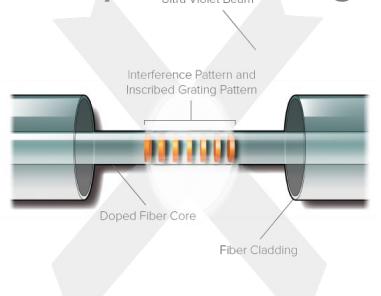
Bend up	(NI) ε FBG		(O11) ΔL				
Actuator input (deg)	FBG_2 (μ)	FBG_3 (μ)	ΔL_{FP_1-2} (μm)	ΔL_{FP_3-4} (μm)	Tip deflection (mm)	Estimated tip deflection (mm)	Error (mm)
5	143,17	144,00	-7,6	-7,598	2	2,1	0,1
10	300,31	306,72	-25,2	-25,414	6	1,93	-4,07
15	441,64	443,60	-78,4	-79,386	9	8,48	-1,69

Bend down	(NI) ε FBG		(O11) ΔL				
Actuator input (deg)	FBG_2 (μ)	FBG_3 (μ)	ΔL_{FP_1-2} (μm)	ΔL_{FP_3-4} (μm)	Tip deflection (mm)	Estimated tip deflection (mm)	Error (mm)
5	-138,00	-137,00	8,4	8,346	5	3,16	-1,84
10	-287,32	-280,00	29,0	27,178	10	11,58	1,58
15	-427,14	-423,00	86	85,6	15	13,31	-1,69

Twist

Right	(NI) ϵ FBG		(O11) ΔL				
Actuator input (deg)	FBG_1 (μ)	FBG_4 (μ)	ΔL FP_1-2 (μm)	ΔL FP_3-4 (μm)	Tip deflection (mm)	Estimated tip deflection (mm)	Error (mm)
5	-24,05	23,8	-5	6	2	0.66	-1.34
10	-53,65	51,3	-8,5	16	4	5.18	1.18
15	-101,75	100	-11	25	6	5.98	-0.02

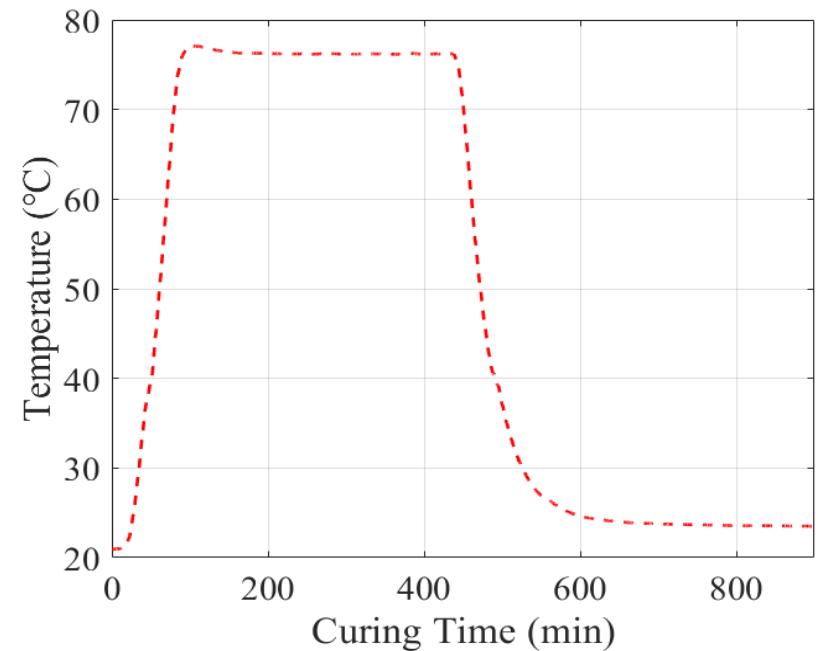
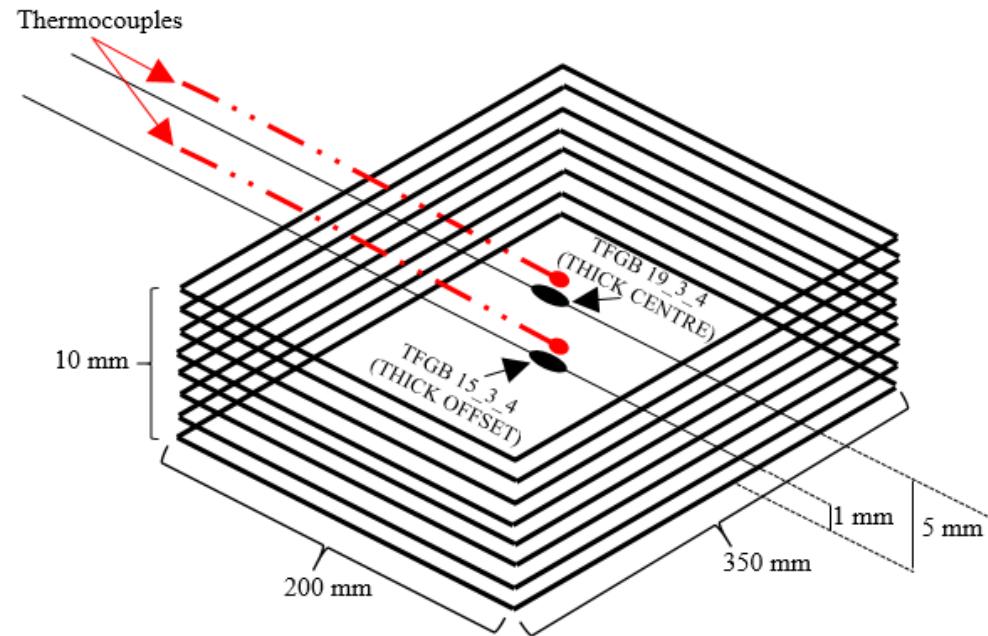
Left	(NI) ϵ FBG		(O11) ΔL				
Actuator input (deg)	FBG_1 (μ)	FBG_4 (μ)	ΔL FP_1-2 (μm)	ΔL FP_3-4 (μm)	Tip deflection (mm)	Estimated tip deflection (mm)	Error (mm)
5	-24,05	23,8	-5	6	2	1.25	-0.75
10	-53,65	51,3	-8,5	16	4	4.65	0.65
15	-101,75	100	-11	25	6	5.97	-0.03



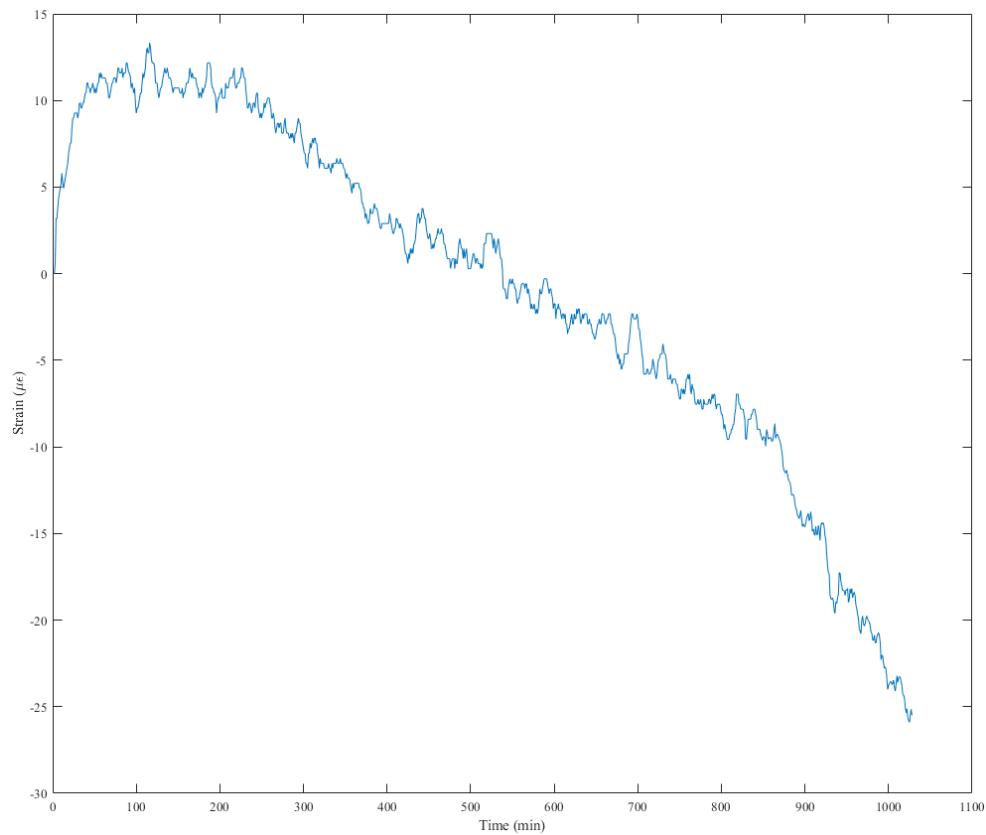
Research of PhD

Luigi Fazzi

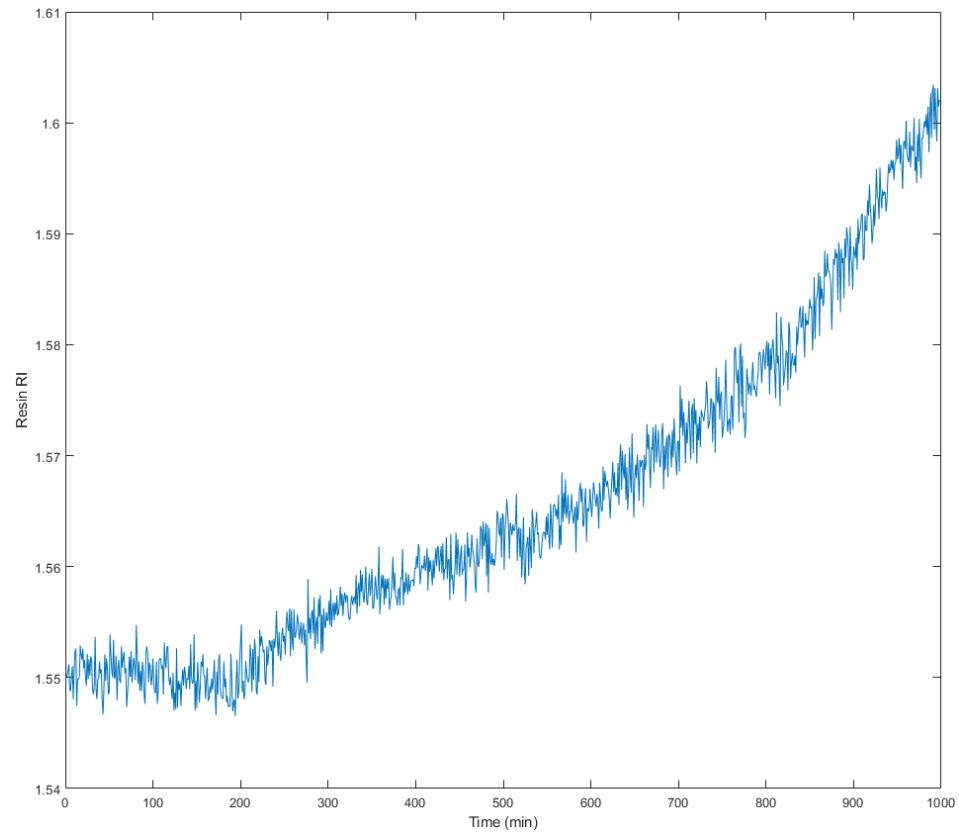
Thermoset composites curing with tilted FBG sensors



5 mm GFRP (curing at room temperature)

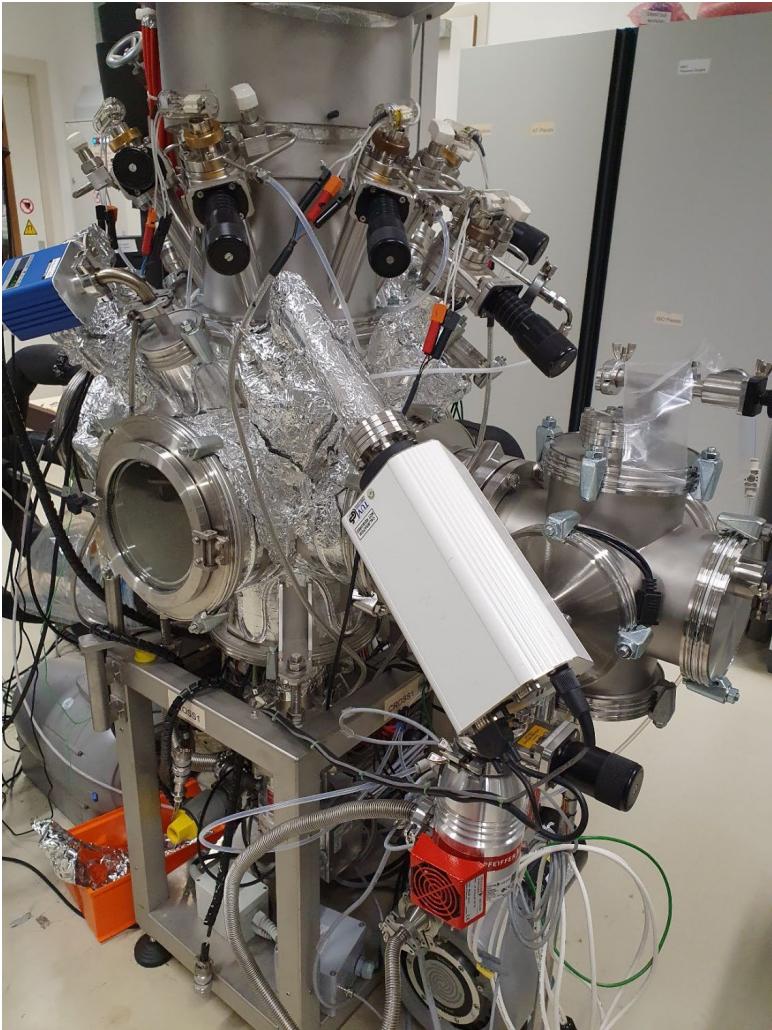
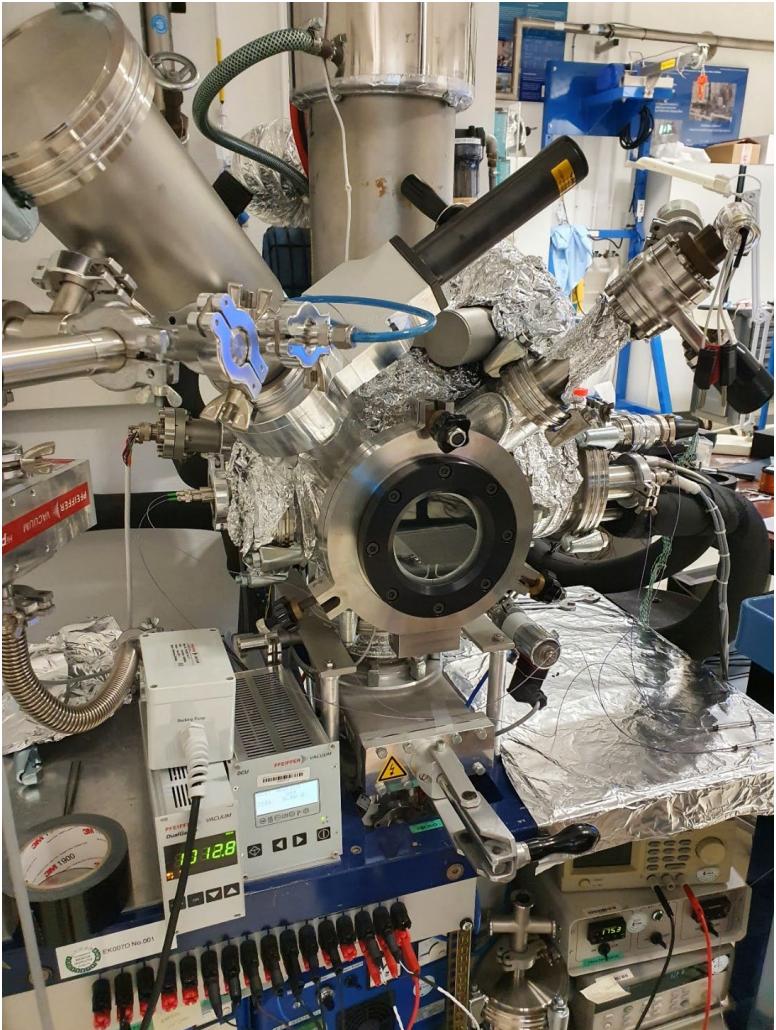


Strain vs time

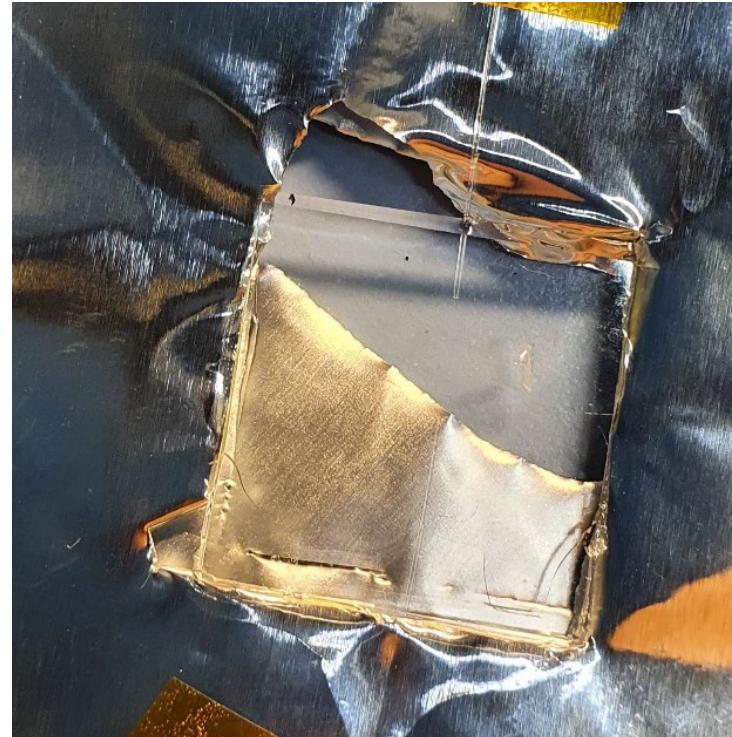
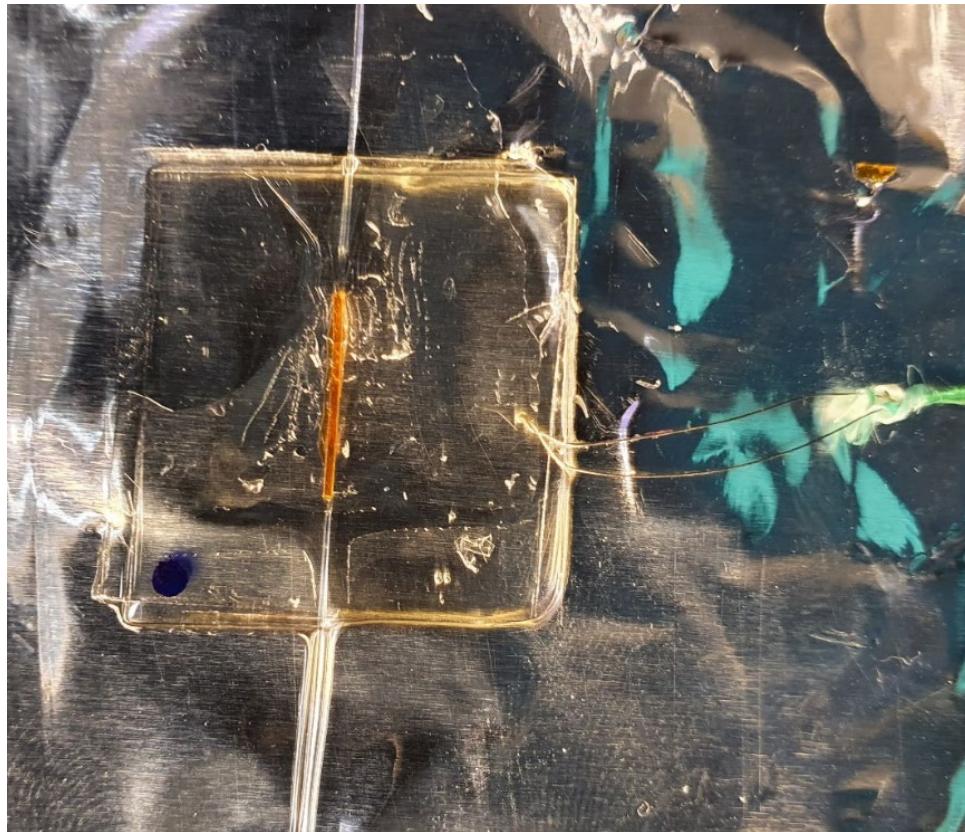


Resin RI vs time

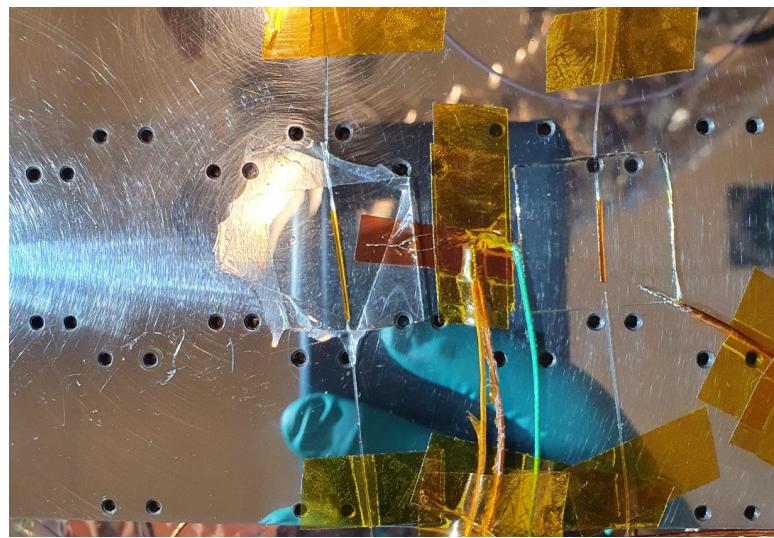
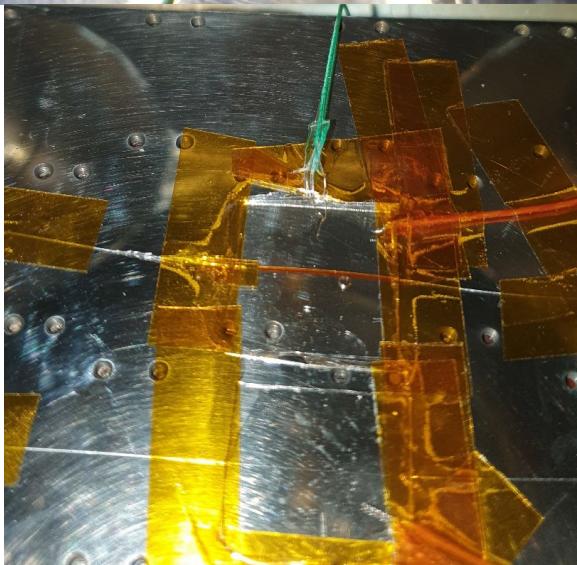
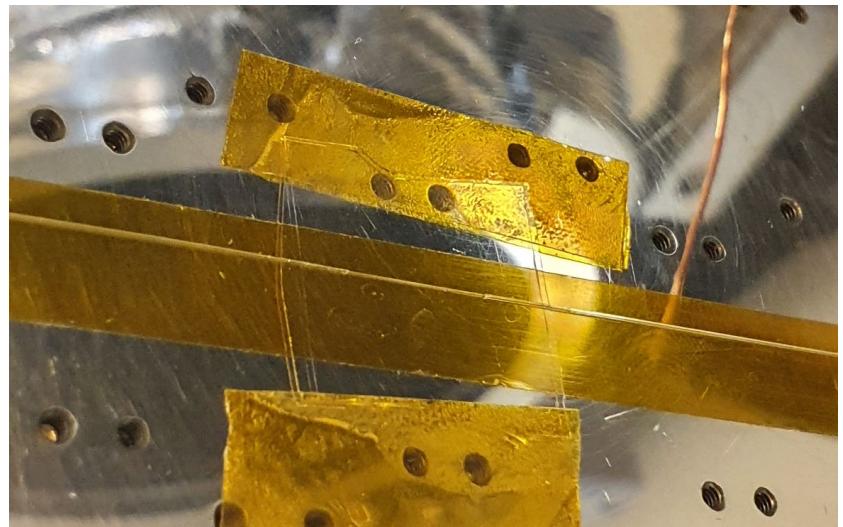
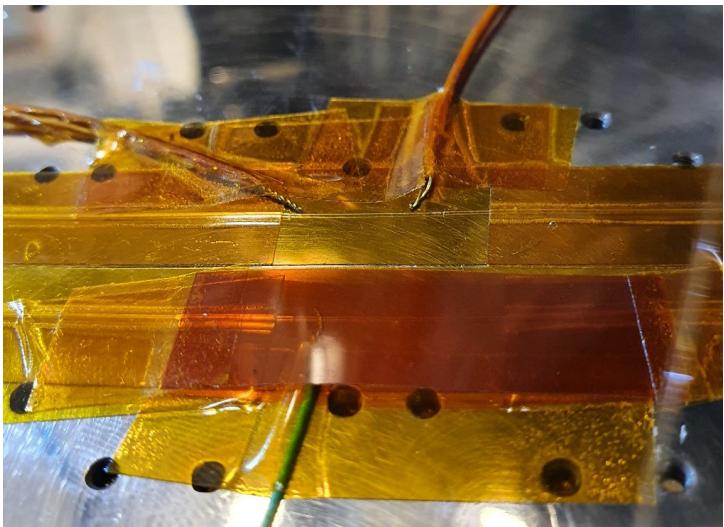
Simulated space environment



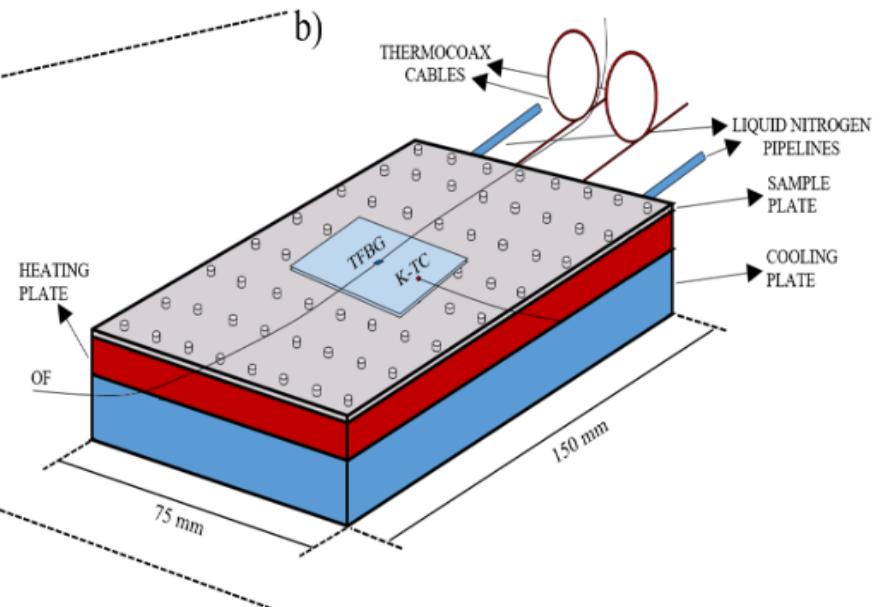
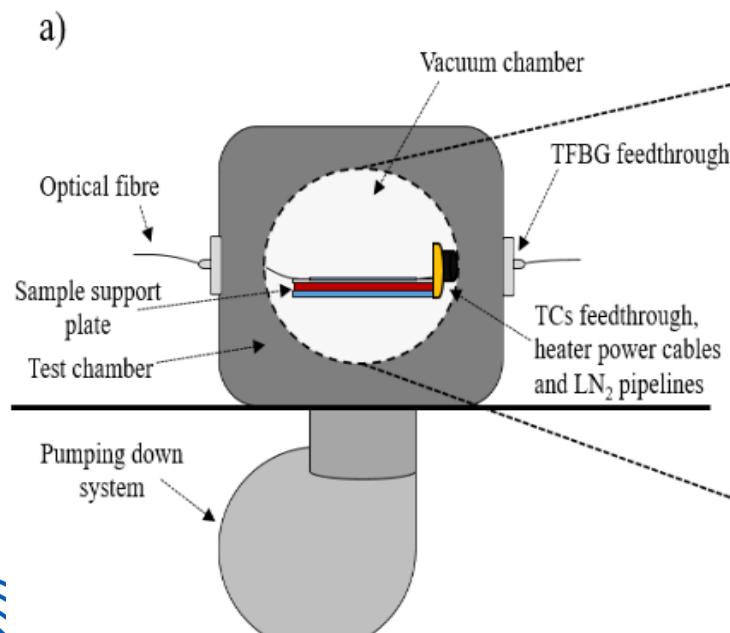
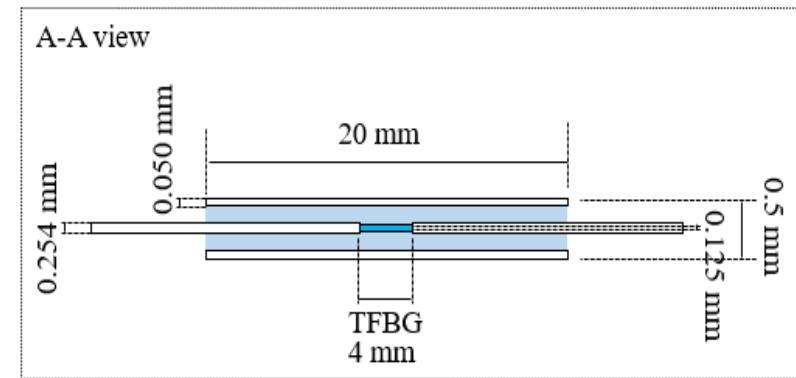
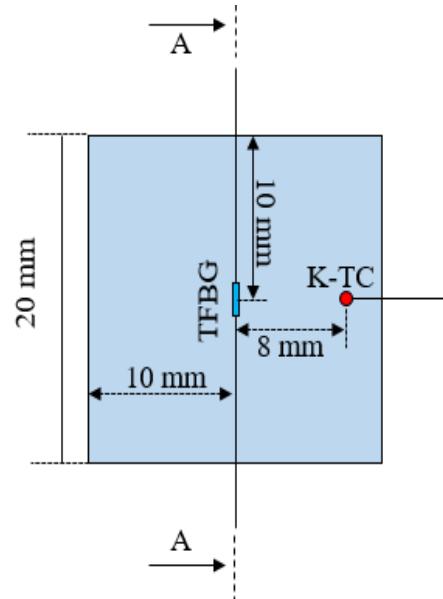
Solar cell samples



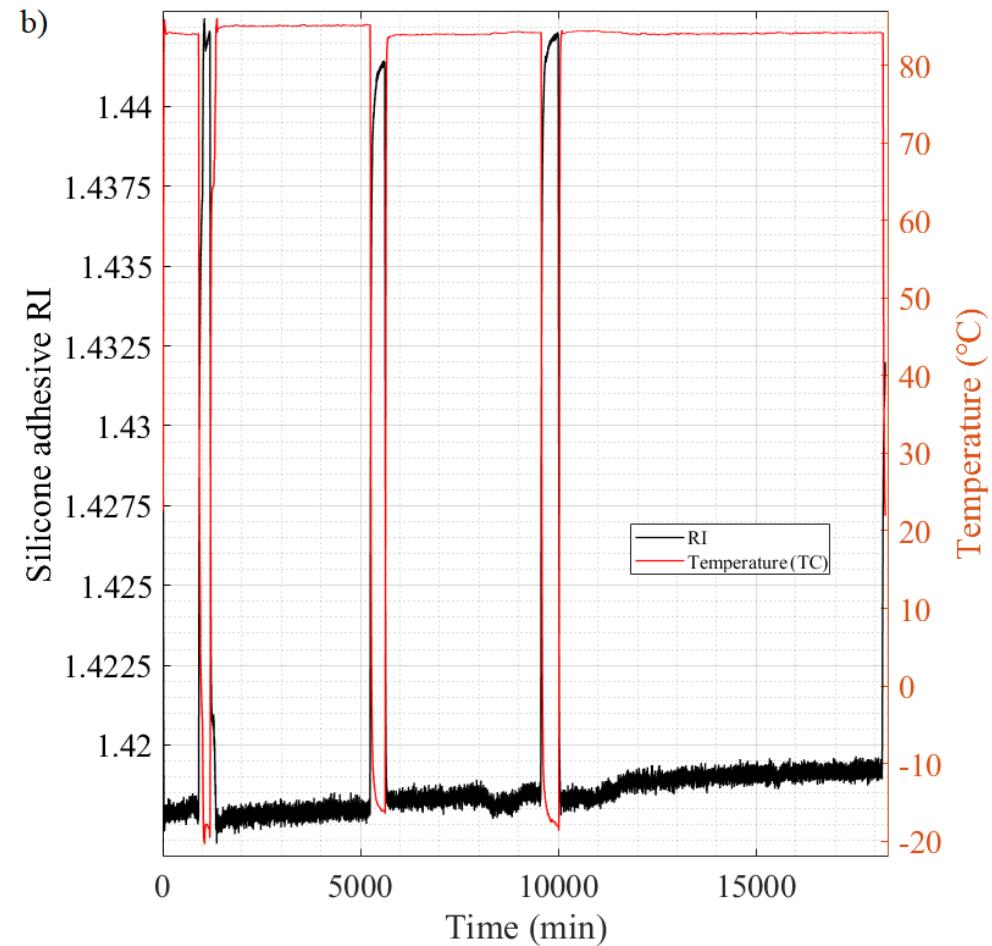
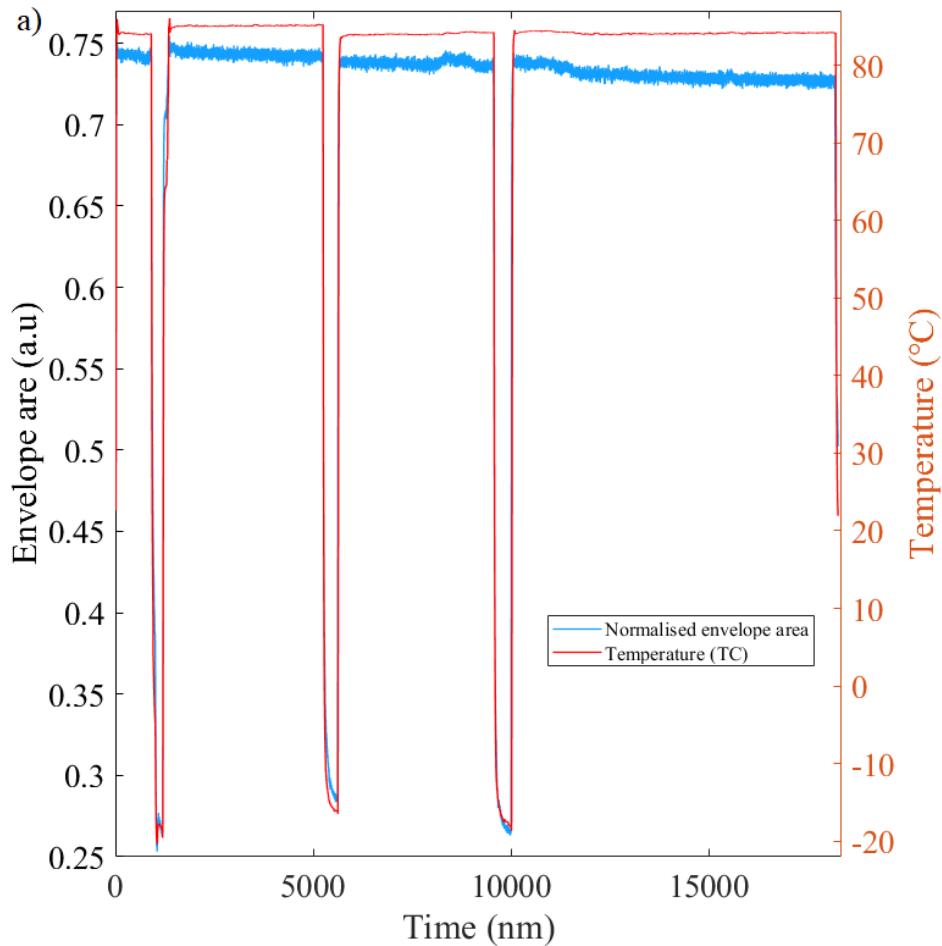
Samples inside vacuum test chamber

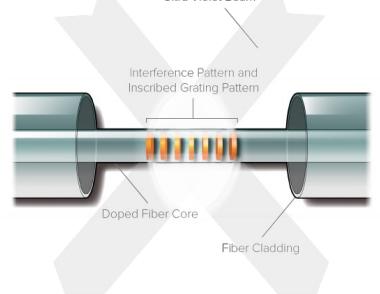


Experimental setup



Results



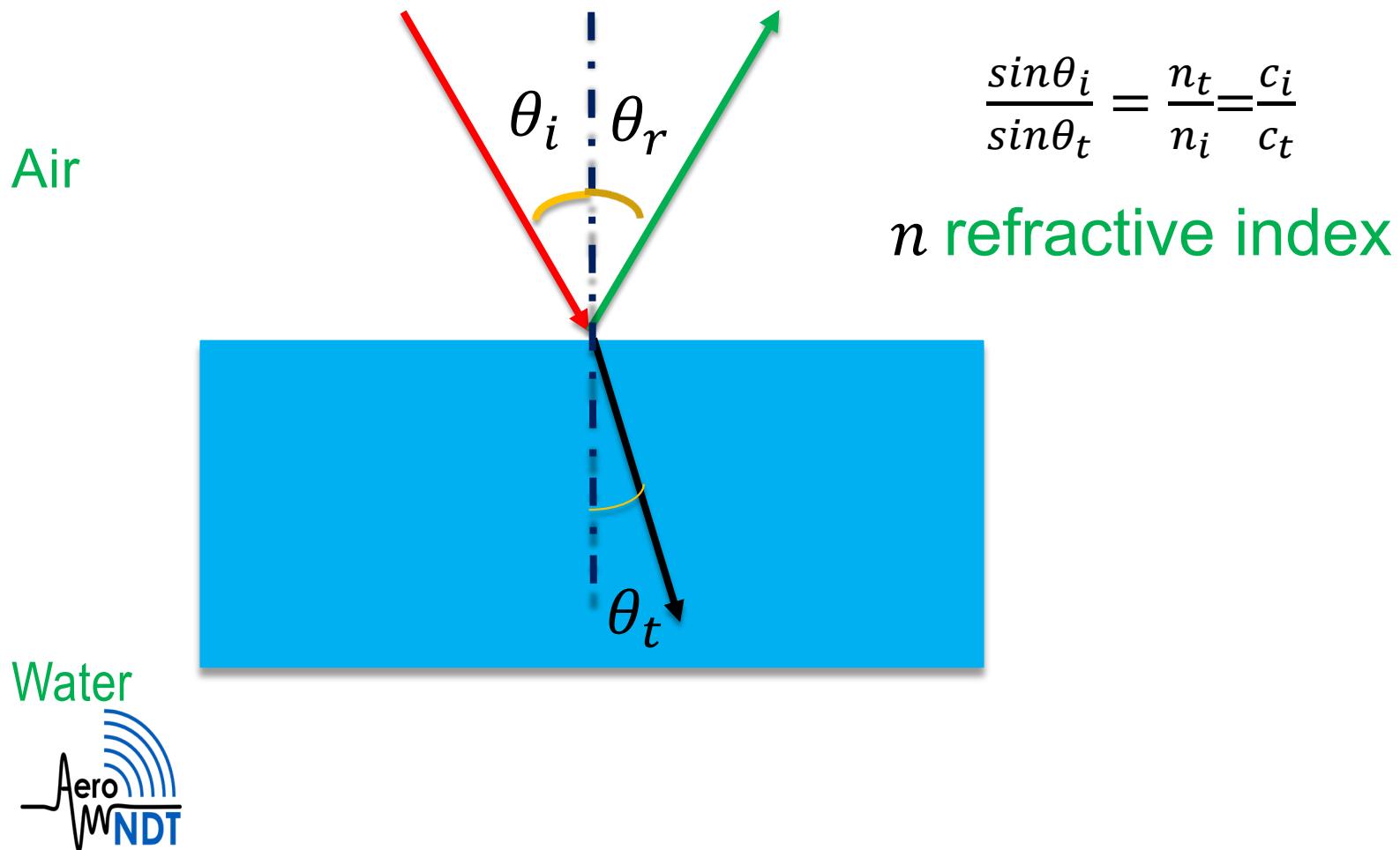


End of Part 1 - Fibre optic sensing for smart structures

- Fibre optic sensing theory
- Research of PhD Nakash Nazeer on fibre optic shape sensing of morphing aircraft wing
- Research of PhD Luigi Fazzi on fibre optic sensing during composite manufacturing and in a simulated space environment

Part 2: Ultrasonic wave propagation

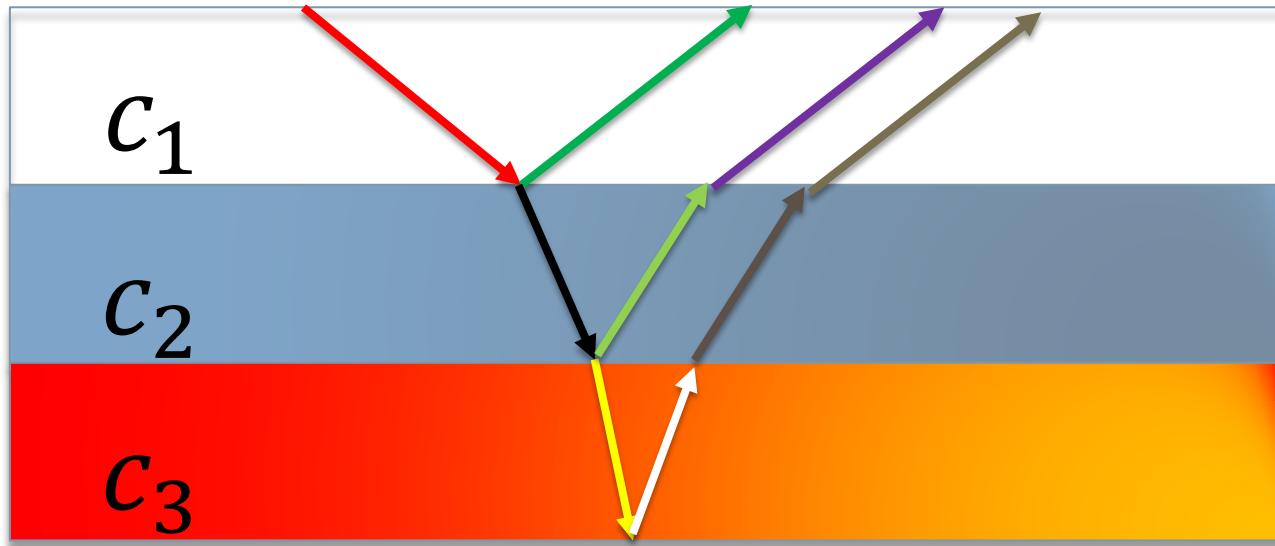
How to visualize waves in two different media?



'Multiple reflection scenario?

3 layers

1st reflections



Transmission

$$c_1 > c_2 > c_3$$

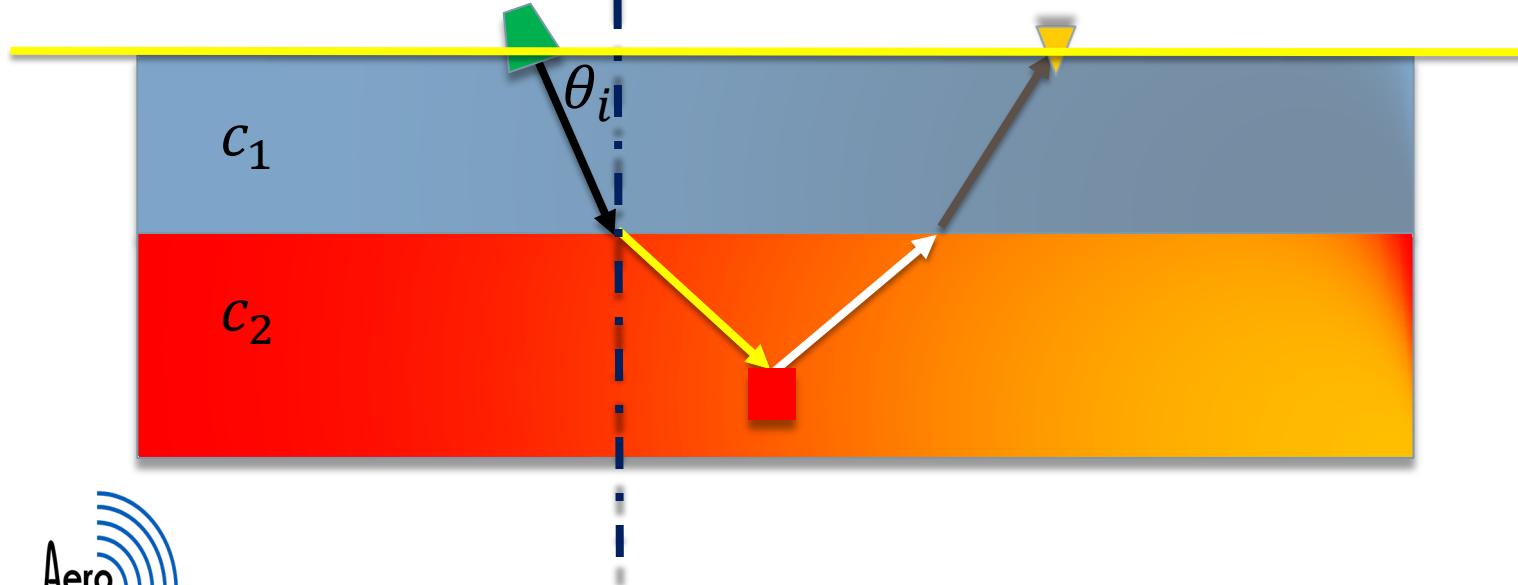
Q1 Can we detect this damage at the surface?

$$c_1 = 2000 \text{ m/s}$$

$$c_2 = 2828 \text{ m/s}$$

YES!

$$\theta_i = 30^\circ \rightarrow \frac{\sin 30}{\sin \theta_t} = \frac{2000}{2828} \rightarrow \theta_t = 45^\circ$$



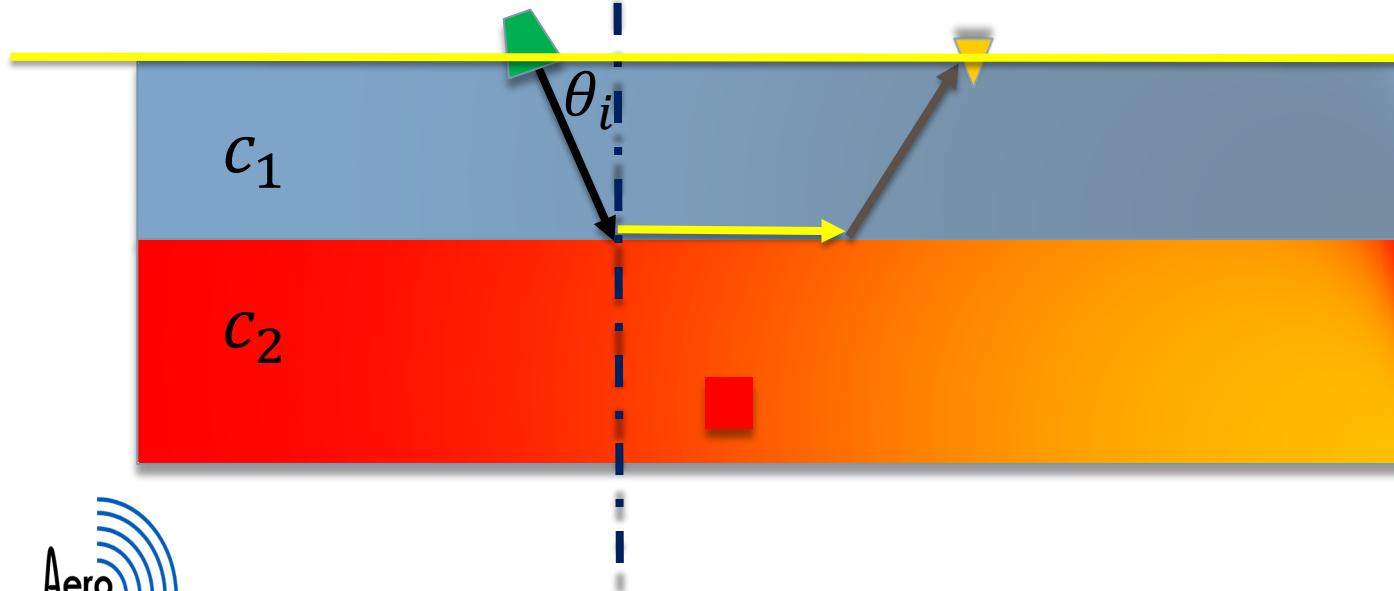
Can we detect this damage at the surface (note different materials!)?

$c_1 = 2000 \text{ m/s}$
 $c_2 = 4000 \text{ m/s}$

$\theta_i = 30^\circ \rightarrow \frac{\sin 30}{\sin \theta_t} = \frac{2000}{4000} \rightarrow \theta_t = 90^\circ$

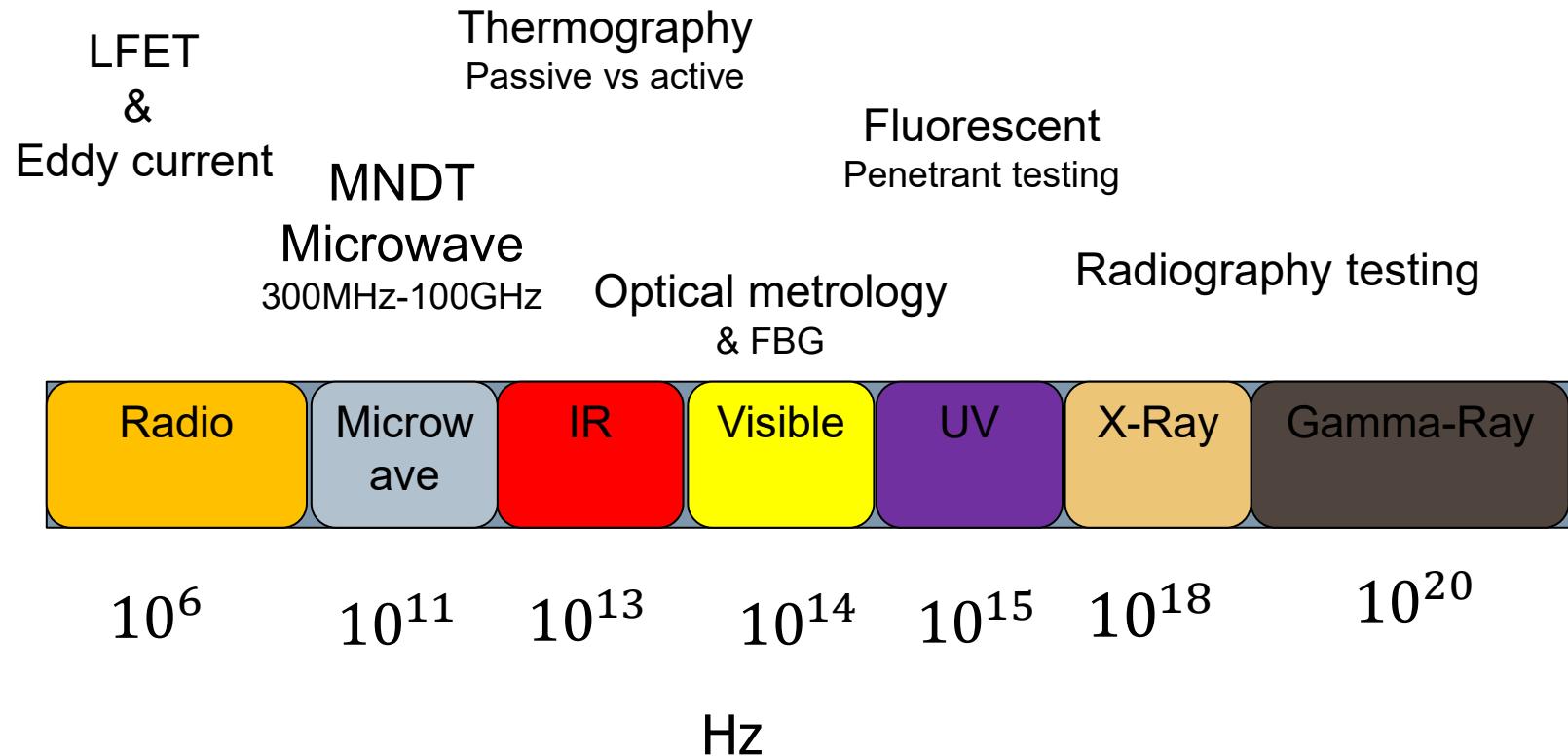
No!

Critical reflection angle

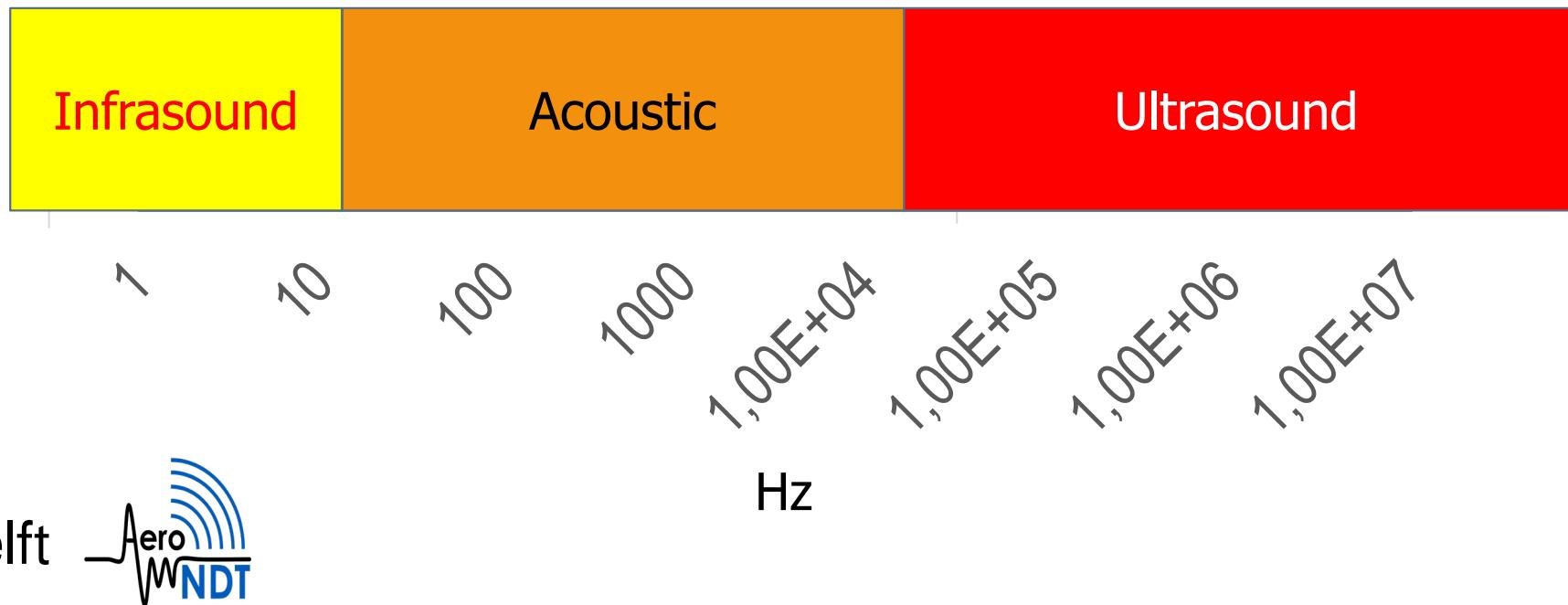
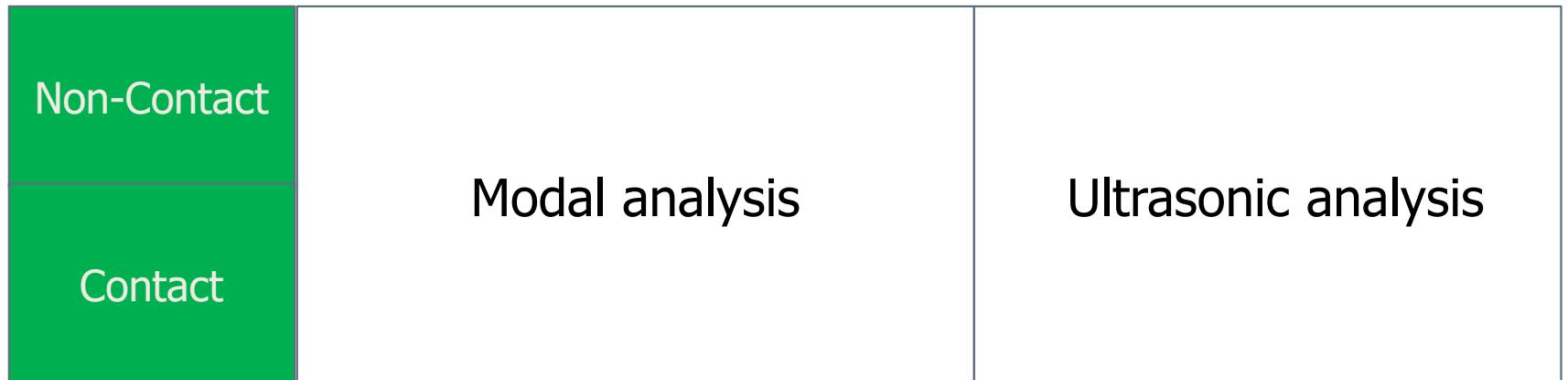


Ultrasonic wave modes

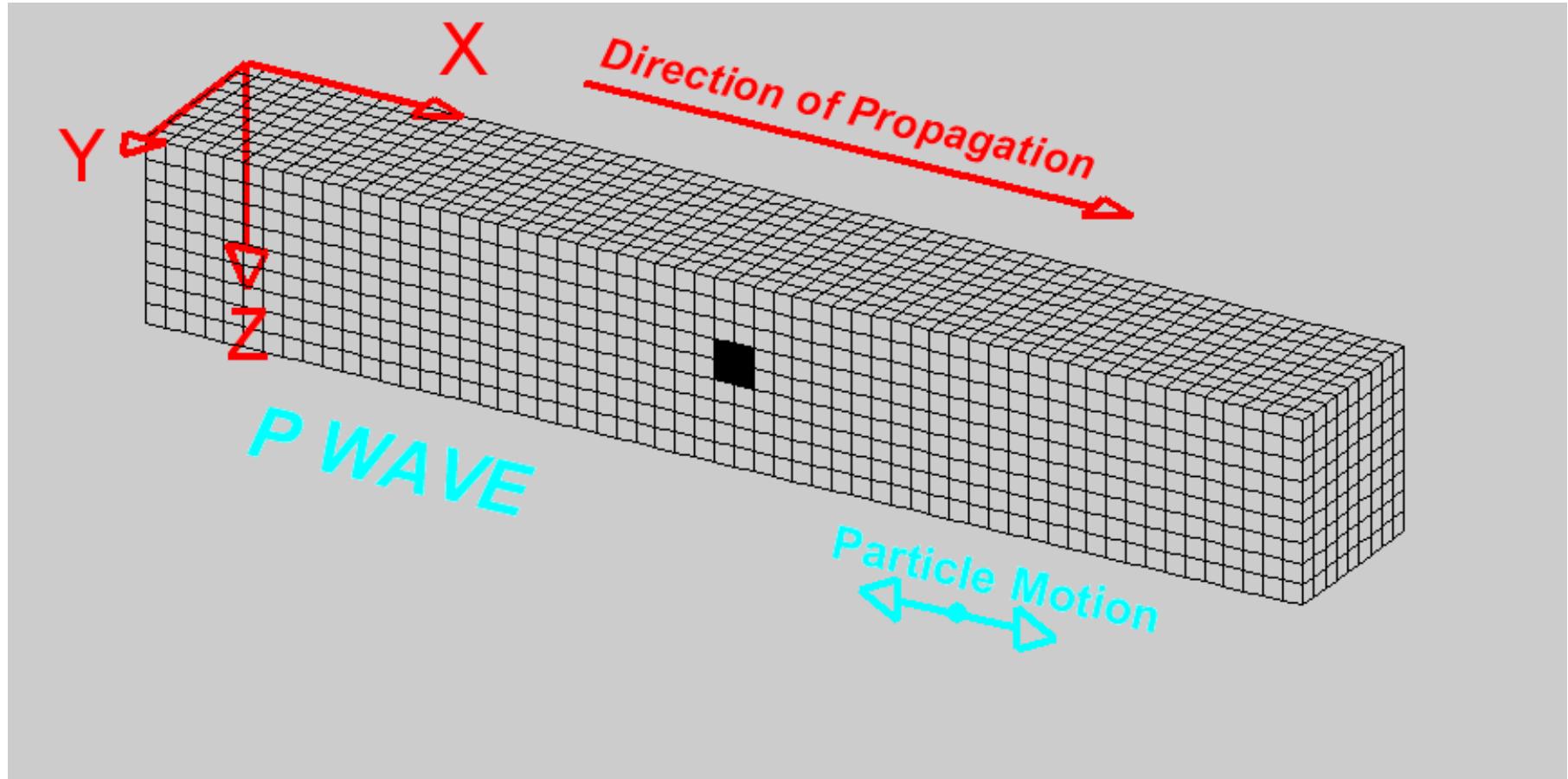
Electromagnetic wave spectrum



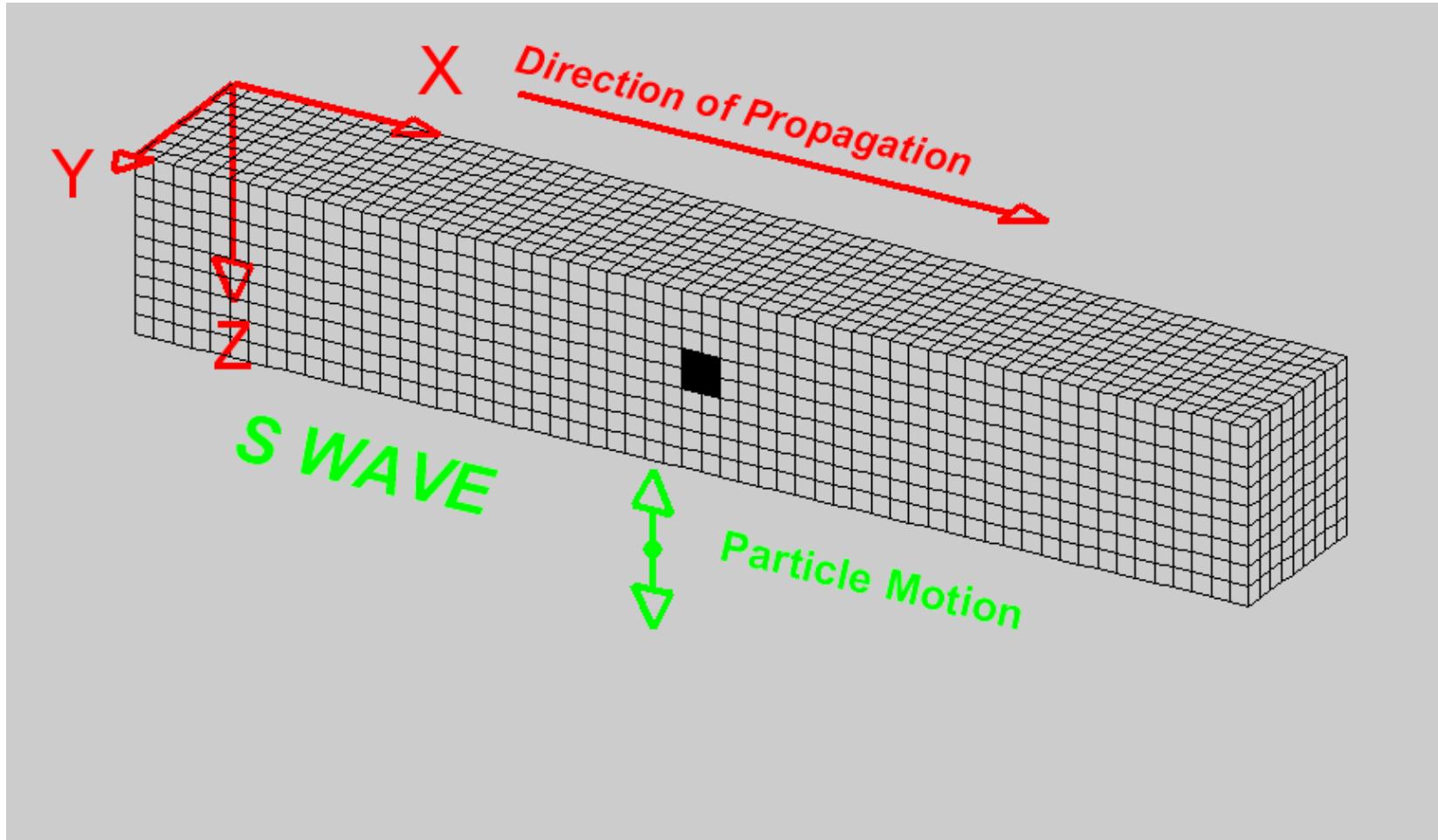
Mechanical wave spectrum



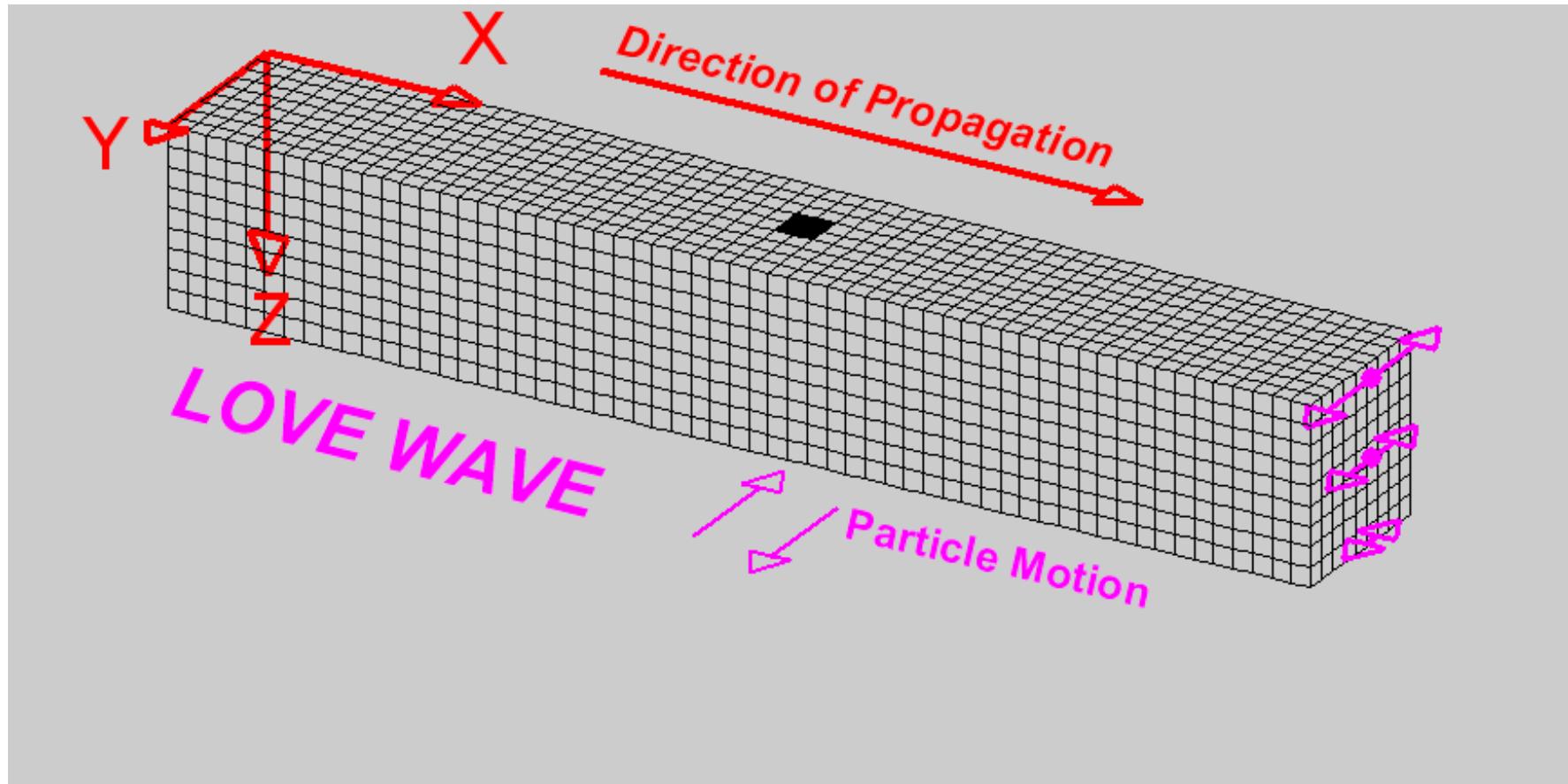
Longitudinal aka P-waves



Shear, S_y - and S_z -waves



Surface Love waves



Surface Rayleigh waves

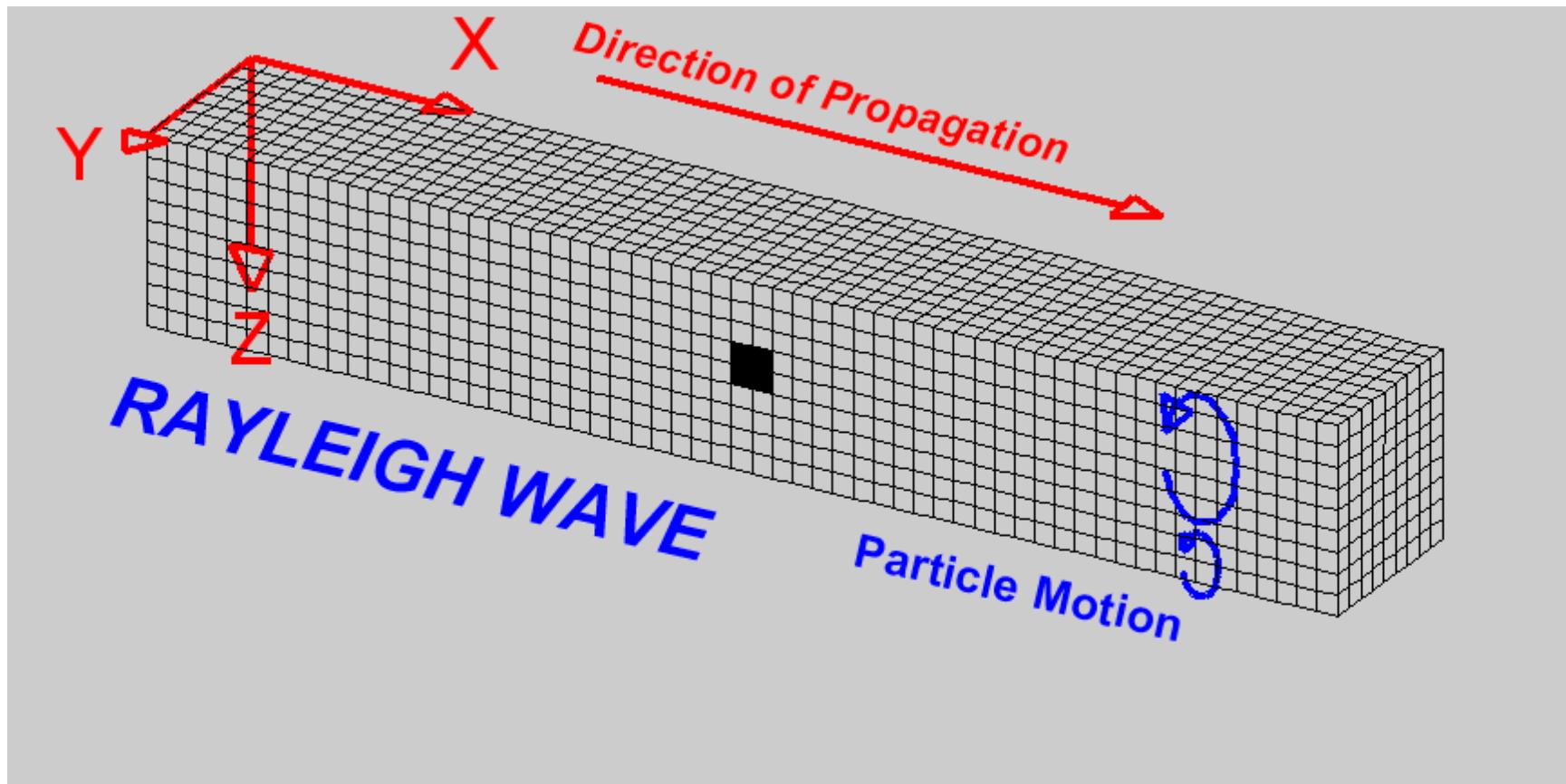
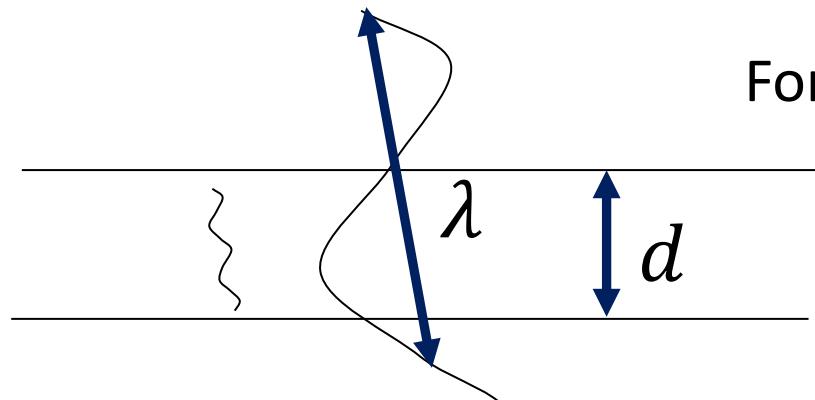
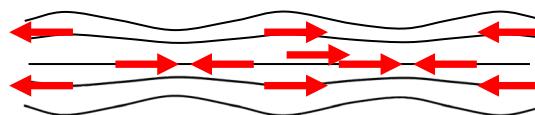


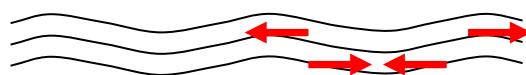
Plate waves – Lamb waves



For $\frac{d}{\lambda} \leq 1$ Lamb waves occur



Symmetric, S_0, S_1, \dots



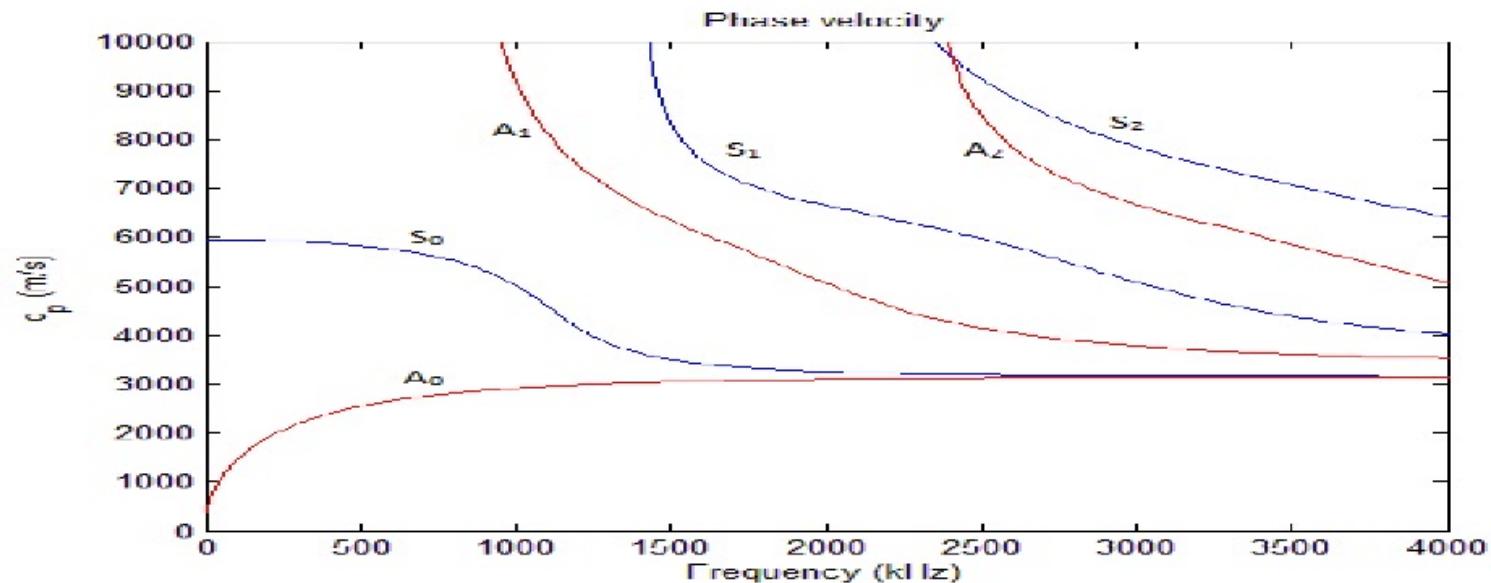
Asymmetric A_0, A_1, \dots

Phase and group velocity

Phase velocity C_P : Velocity of the carrier wave

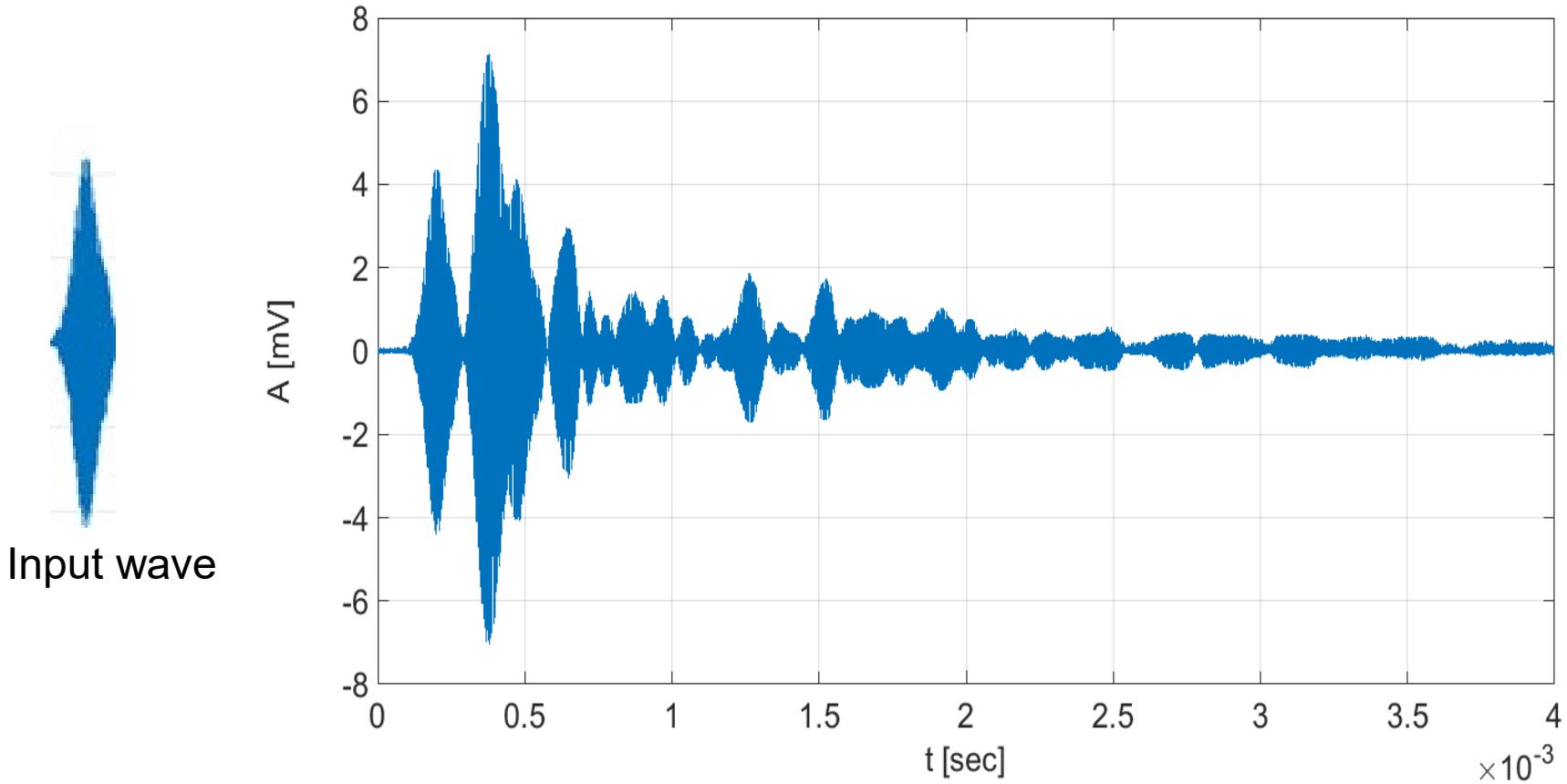
Group velocity C_G : Velocity of the wavepacket

- Phase =Group velocity for isotropic material

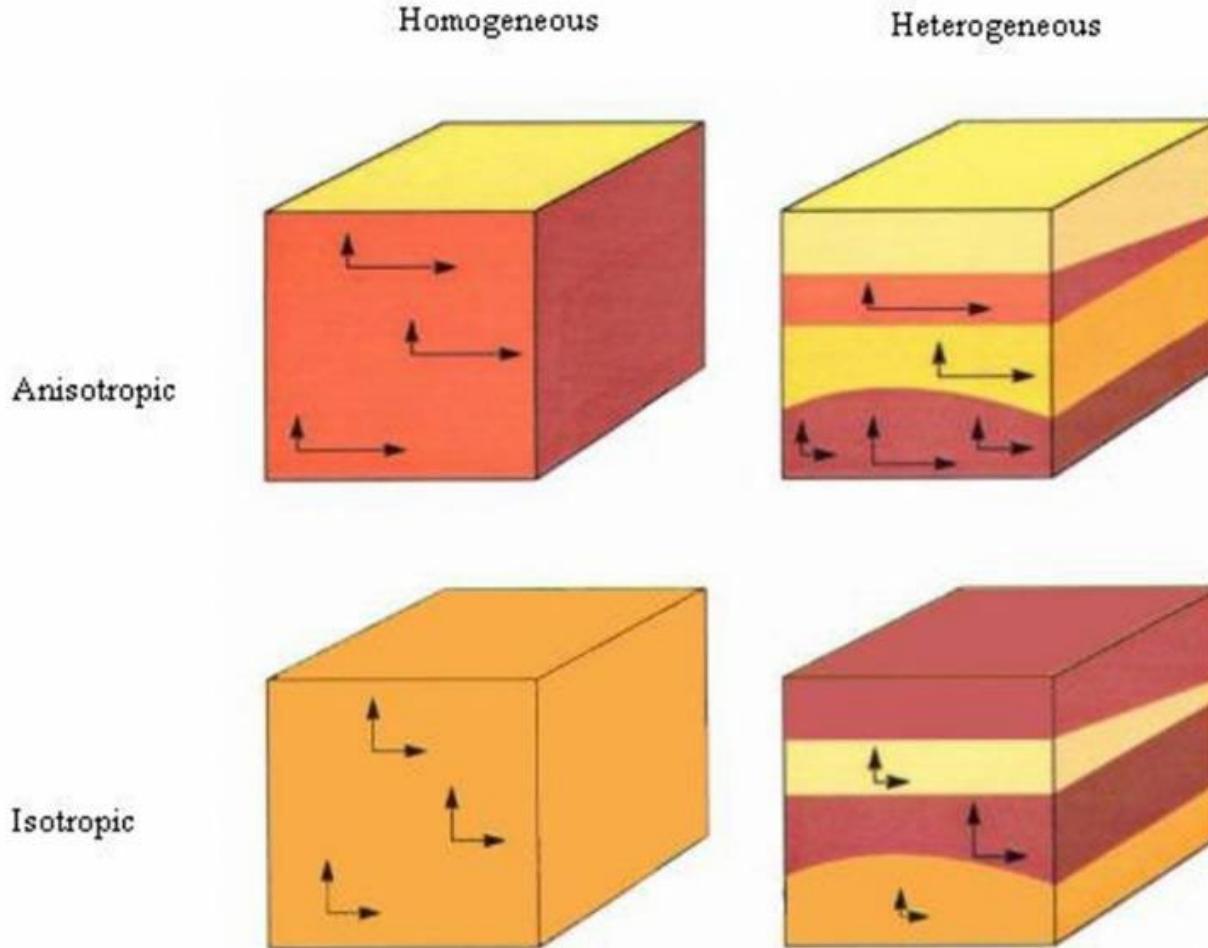


- Wave velocity can change as function of frequency, known as 'dispersion'

Time of flight of waves

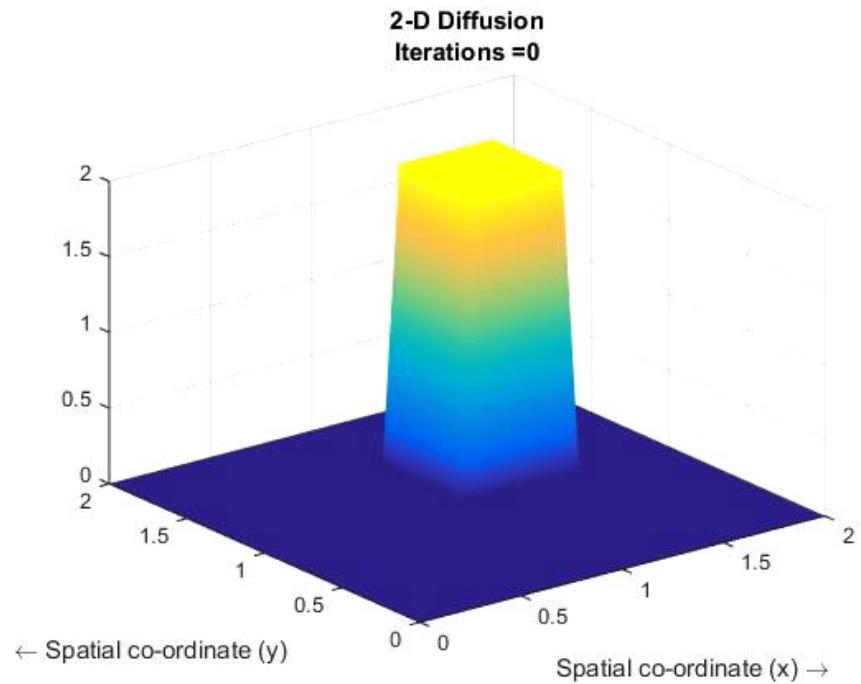
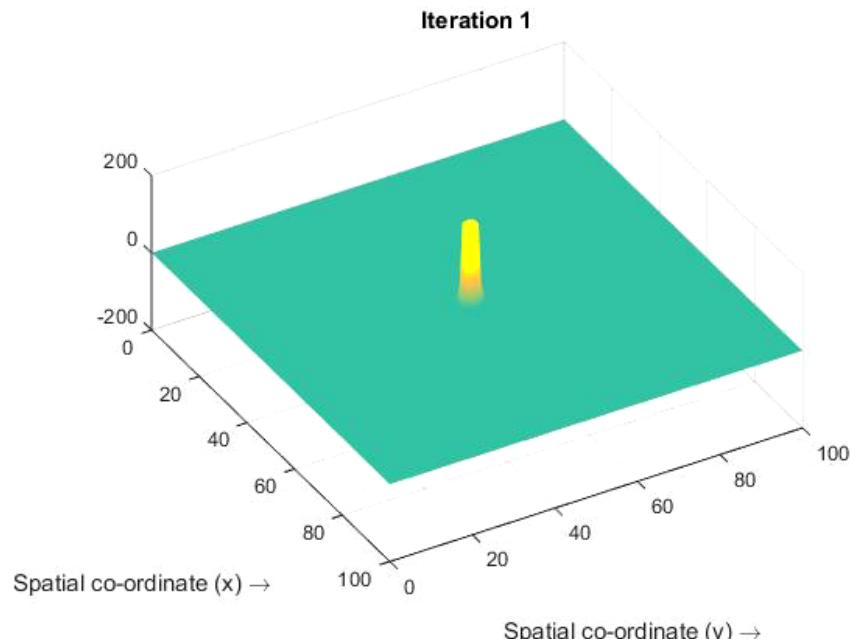


Homogeneous/ heterogeneous & anisotropic/ isotropic



Ultrasonic wave properties

Wave propagation vs diffusion



Like rock in water

Heating an object with a torch
(temporarily)

Properties of waves

$$\frac{\partial^2 U}{\partial t^2} = c^2 \frac{\partial^2 U}{\partial x^2} \quad \frac{\partial U}{\partial t} = \alpha \frac{\partial^2 U}{\partial x^2}$$

Property	Wave	Diffusion
Velocity	Finite $c=??$ m/s	Infinite
Well posed $t>0$	Yes	Yes
Well posed $t<0$	Yes	No
Behavior for $t \rightarrow \infty$	Does not decay	Decays to zero
Information	Transported	Decays gradually

Wave velocities in homogeneous isotropic materials -1

$$c_s = \sqrt{\frac{G}{\rho}}$$

c_s shear wave velocity, ρ the solid density

&

$$\nu = \frac{c_p^2 - 2c_s^2}{2(c_p^2 - c_s^2)}$$

c_p compressional velocity

Wave velocities in homogeneous isotropic materials -2

$$E = 2G(1 + \nu)$$

With E the Elasticity modulus

Alternative

$$c_p = \sqrt{\frac{K + \frac{4}{3}G}{\rho}}$$

where $K = \frac{E}{3(1-2\nu)}$ bulk modulus, & ν Poisson ratio

Acoustic Impedance

$$Z = \rho \cdot c$$

Reflection :

$$R = \frac{Z_2 - Z_1}{Z_2 + Z_1}$$

Z_2 Impedance material 2

Z_1 Impedance material 1 [$kg/(m^2 \cdot s)$] $\rightarrow [Pa \cdot s/m]$

R Reflection coefficient [%]

Transmission : $T = 1 - R$

Ultrasonic sensing technology

Frequency and accuracy

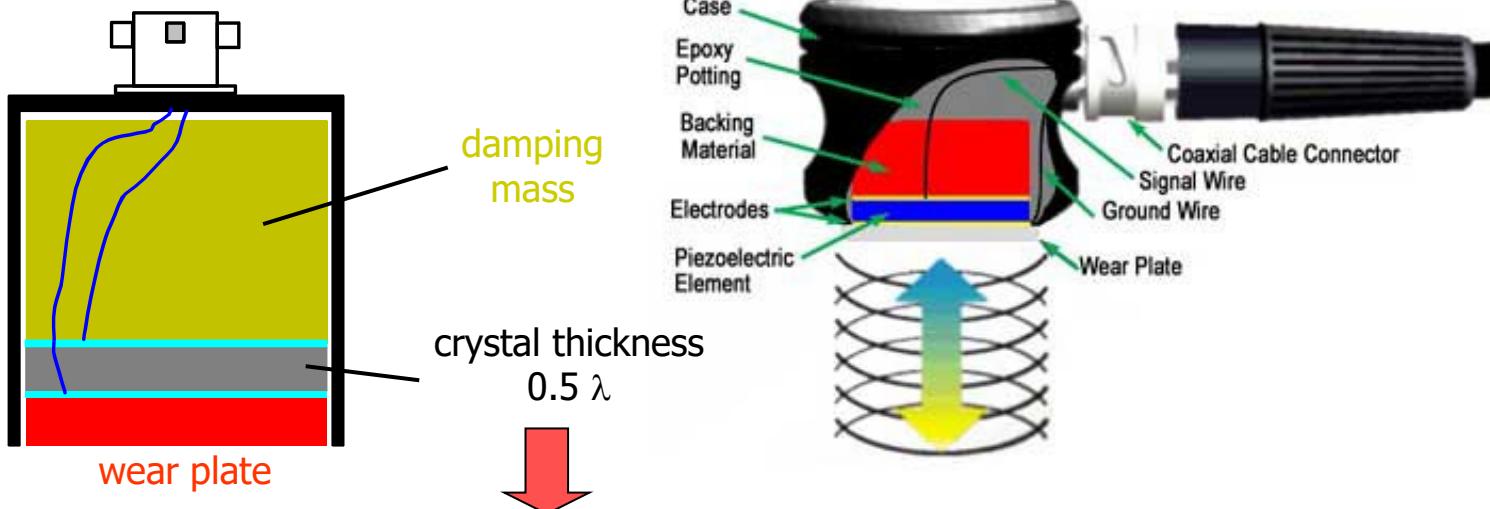
Wave measurements are in general more accurate, but also more time consuming.

Lower ‘frequencies’ also means deeper penetration of materials (music through a wall, you mainly will hear the lower frequencies).

Acoustic Wave PZT

Excitation pulse requires
25 V to 600 V

Available up to 150 MHz centre
frequency

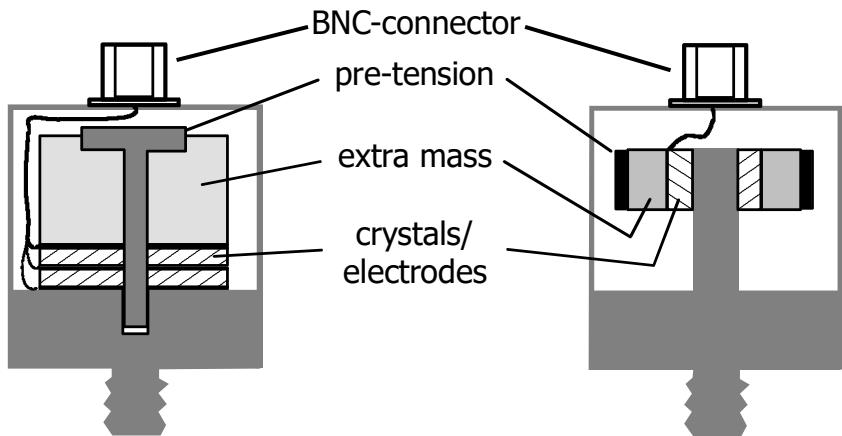


For example made of lead zirconate niobate (PZN) or lead titanate (PT)

These man-made materials are more sensitive and also cheaper than quartz

Shear and Pressure transducers

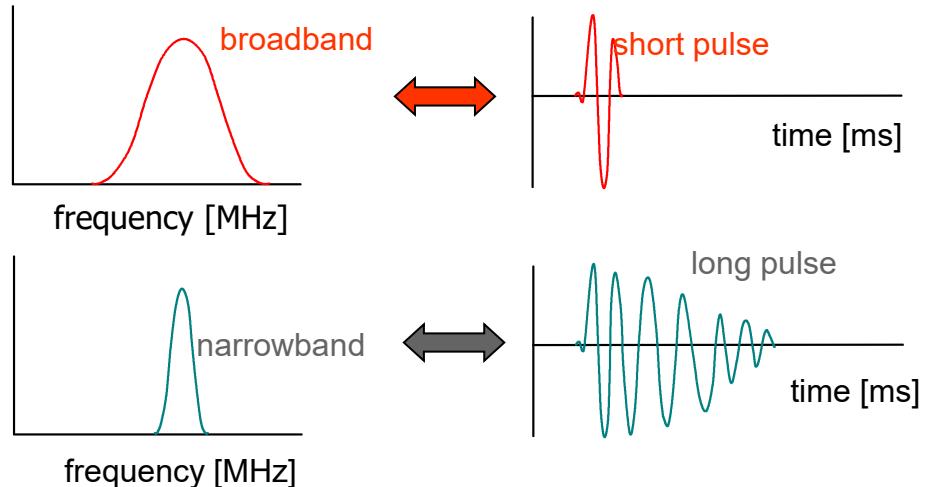
pressure-type



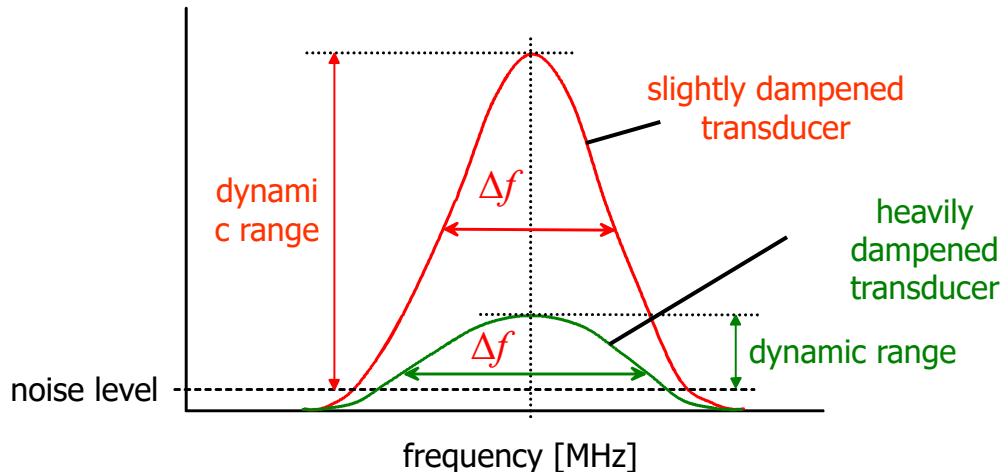
shear-type

Increased damping (more attenuating mass) increases transducer bandwidth at the cost of dynamic range

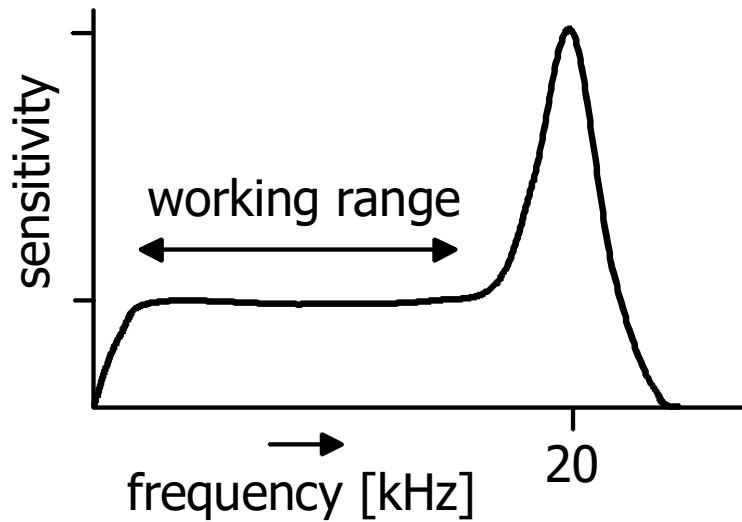
Bandwidth vs Pulse Time



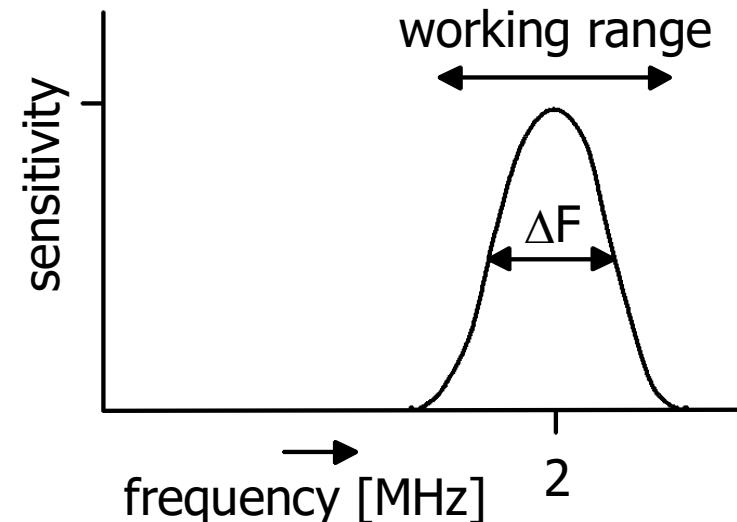
Damping of PZTs



Accelerometer vs wave transducer

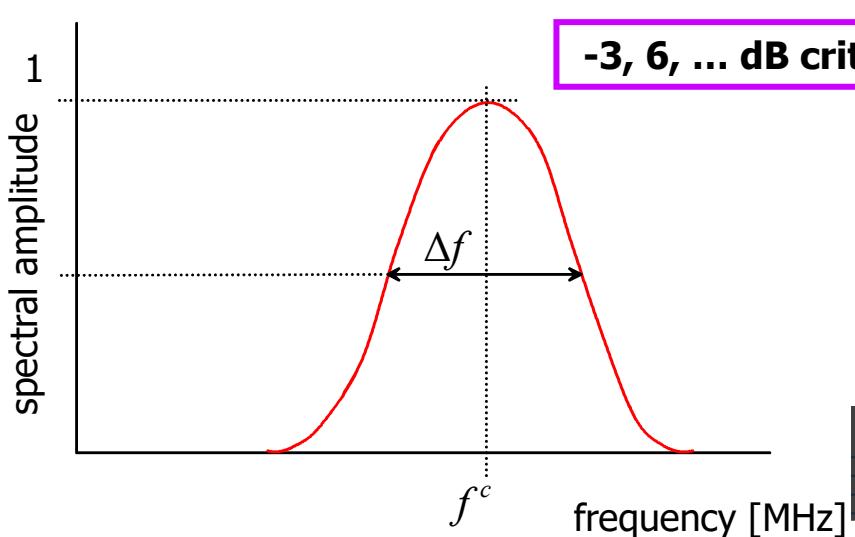


Accelerometer



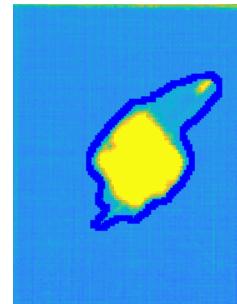
Wave transducer

Bandwidth of Acoustic Wave PZTs

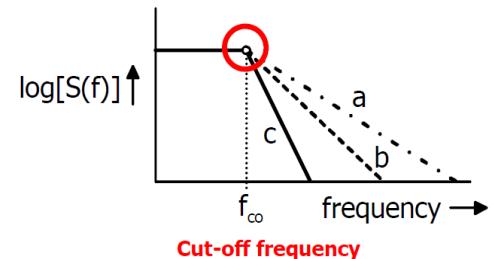


Relative bandwidth: $\frac{\Delta f}{f^c} \cdot 100\%$

Bandwidths of commercial transducers between 5% - 150%



Ultrasonics



Cut-off frequency

Study Hall

Supported By

+/-3 dB or -6 dB: What's the Difference?

March 6, 2012

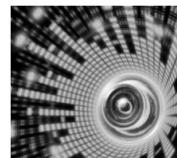
Gerry Tschetter

The meaning of both specs and a basis for comparing loudspeakers

The terms +/-3 dB and -6 dB are frequently (and erroneously) used interchangeably to characterize the frequency response of a loudspeaker system.

This has led to understandable confusion among consumers who may believe that a +/-3 dB specification is more rigorous than a -6 dB specification.

The purpose of this document is to explain the meaning of both specifications as they are commonly used (or misused) in pro audio today, and to provide a basis for comparing loudspeakers with differing stated specifications.



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Martin Audio Key To Immersive Audio At New Virtual Reality Theater In The UK

Neutrik Announces Launch Of MINEA Milan-Certified Audio Module

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(12) Please tell me, Why the cutto... [researchgate.net/post...](#)

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Please tell me, Why the cutoff frequency is taken for 3dB and not other values like 1 or 2 db?

Question Asked February 7, 2012

Please tell me, Why the cutoff frequency is taken for 3db and not other values like 1 or 2 db?

Answer this question

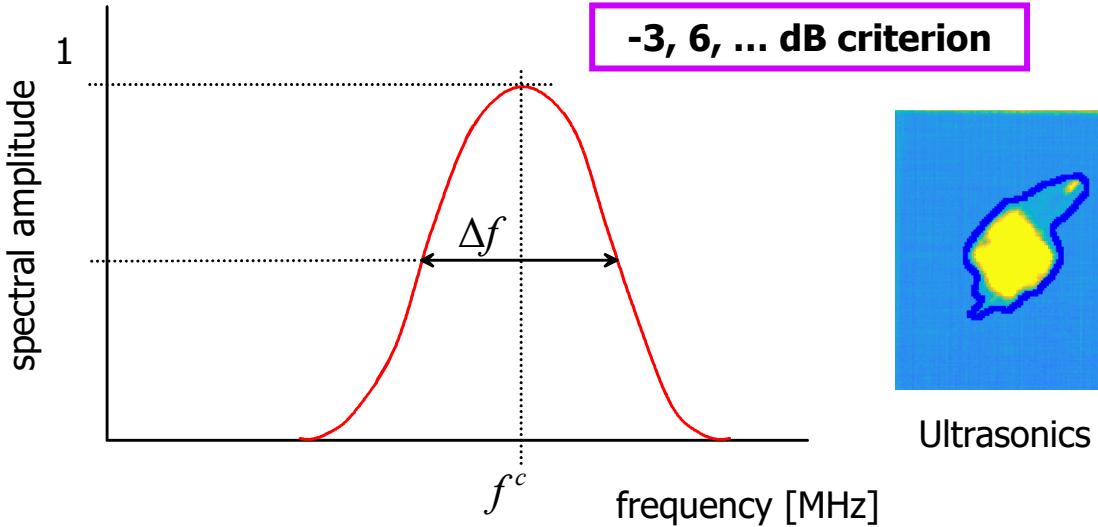
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Control Systems Engineering Applied Electronics
Analog Electronics Electronics and Communication Engineering
Advanced Communication Systems

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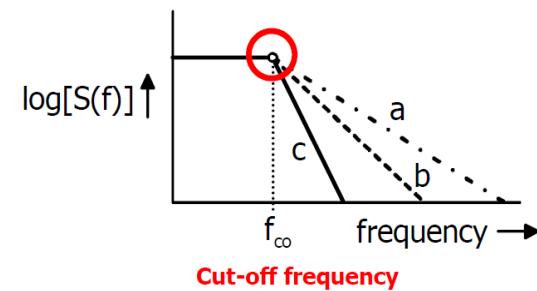
3/6 dB

- What is the physical meaning of -3 dB?
- What is the physical meaning of -6 dB?
- Which one to use for the bandwidth?

- In groups
- 4 minutes



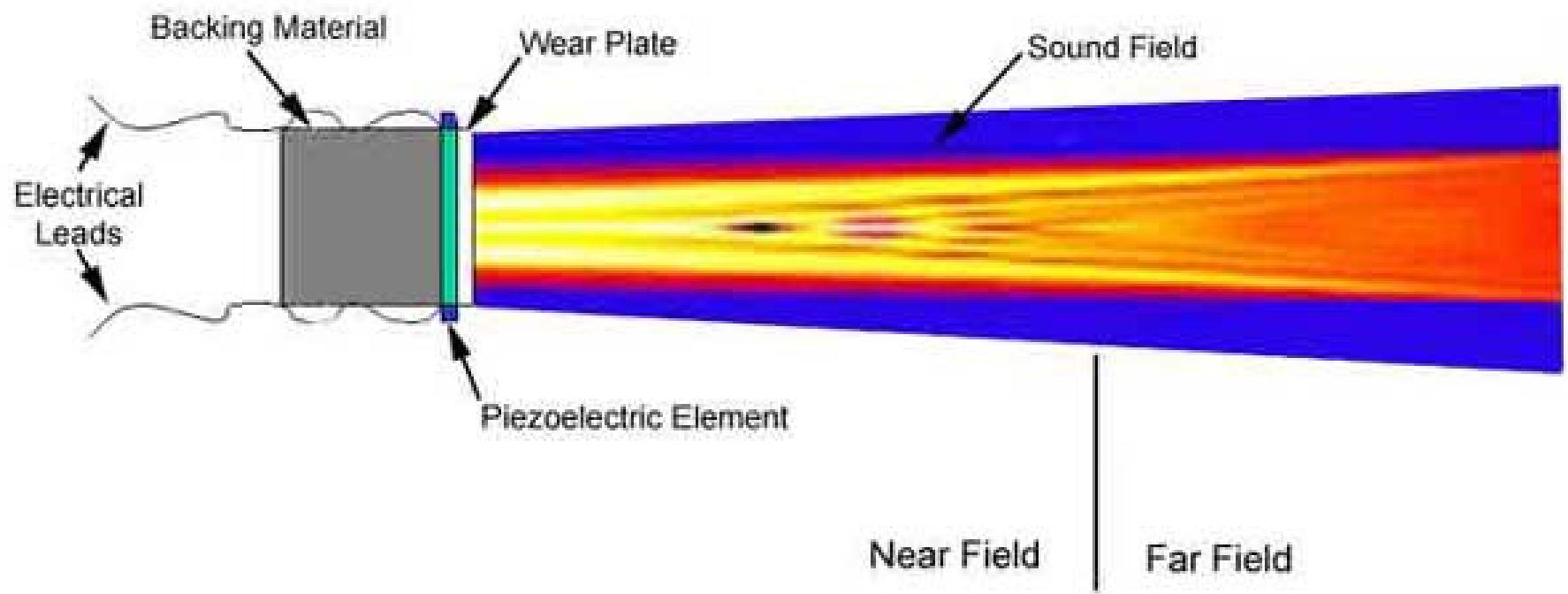
Ultrasonics



Cut-off frequency

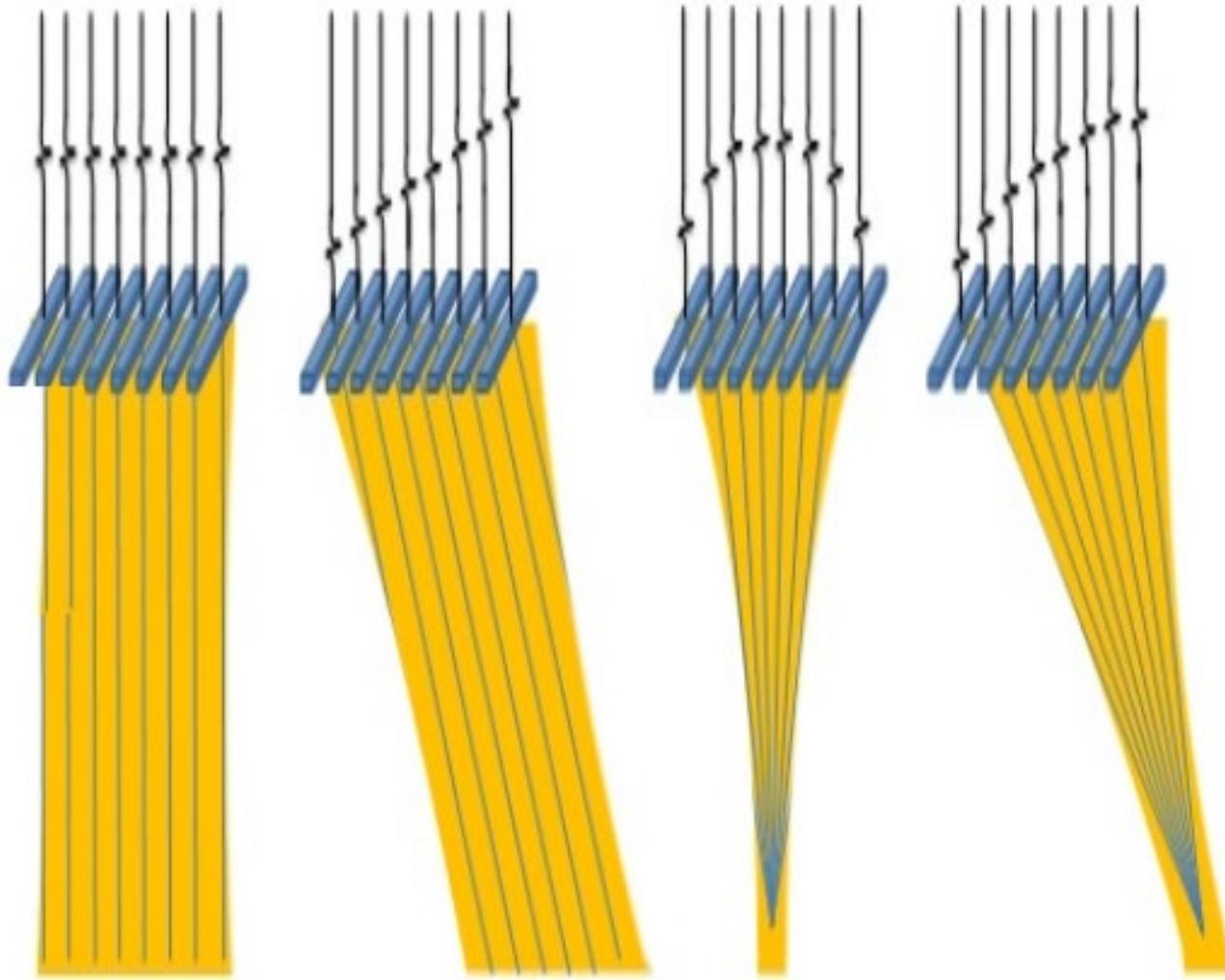
Phased array ultrasonics

Visualising an ultrasonic beam

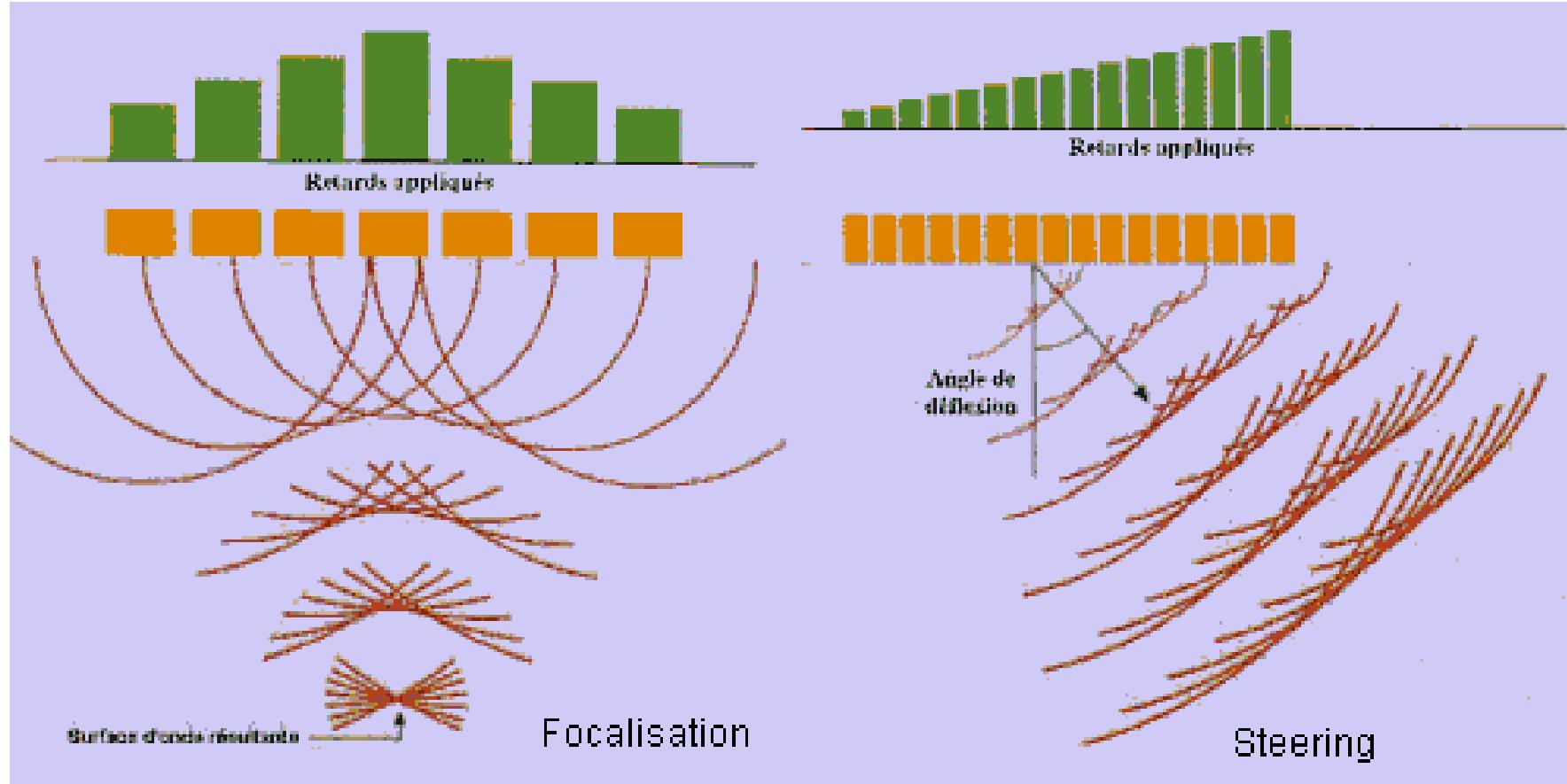


*Near field distance
= 2x wavelength*

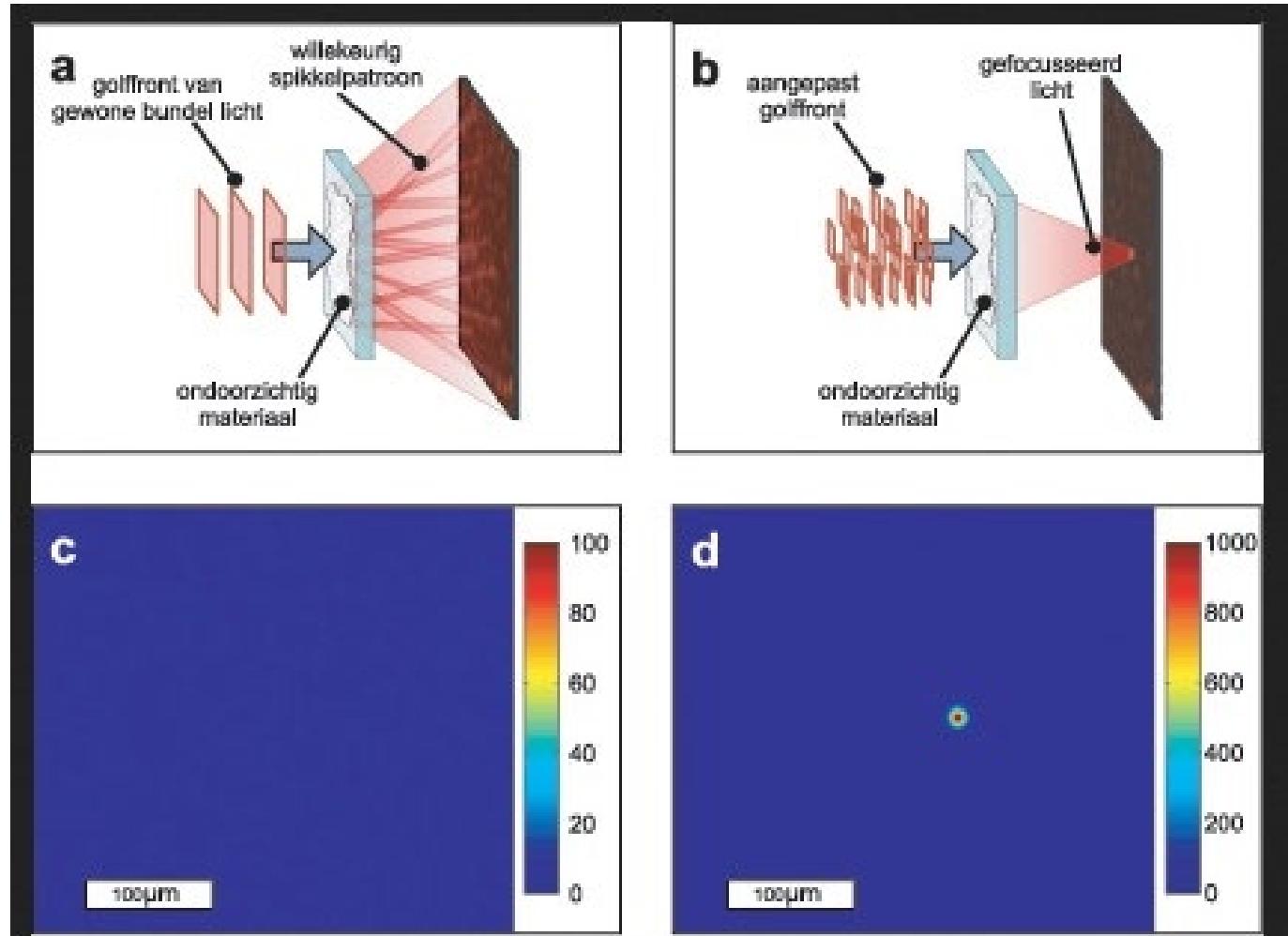
Phased array ultrasonic beams



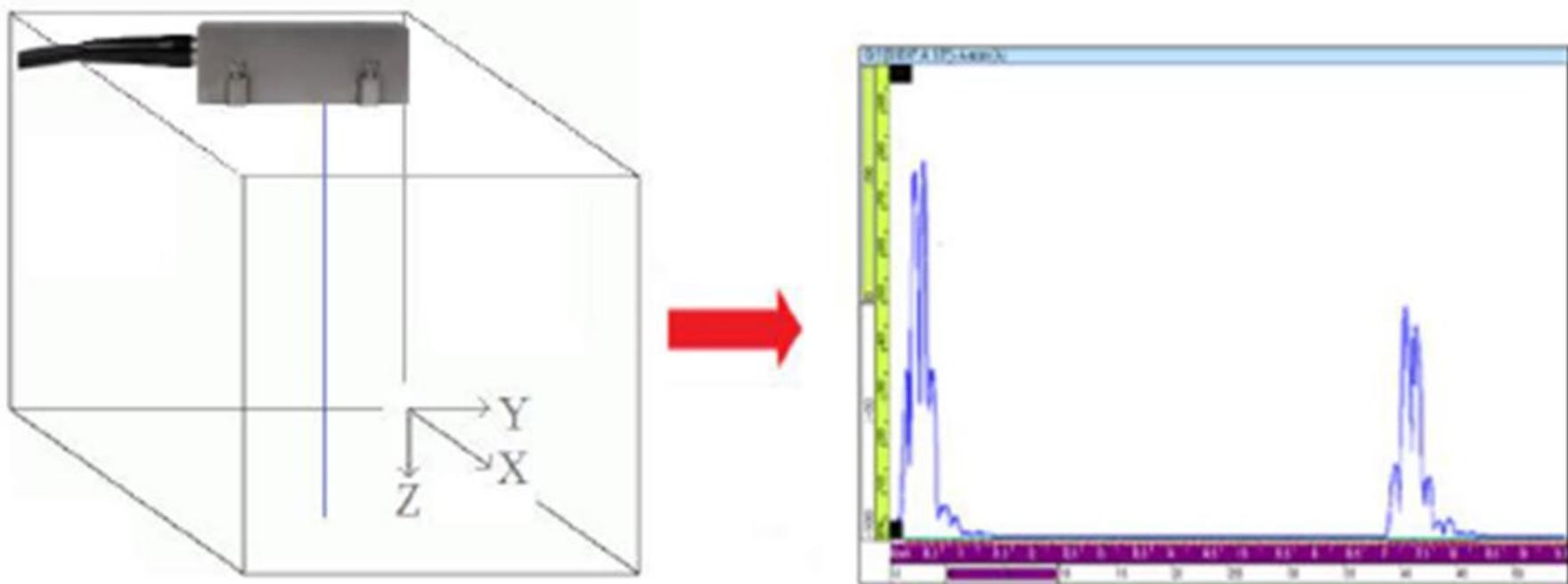
Focusing and steering PAUT beams



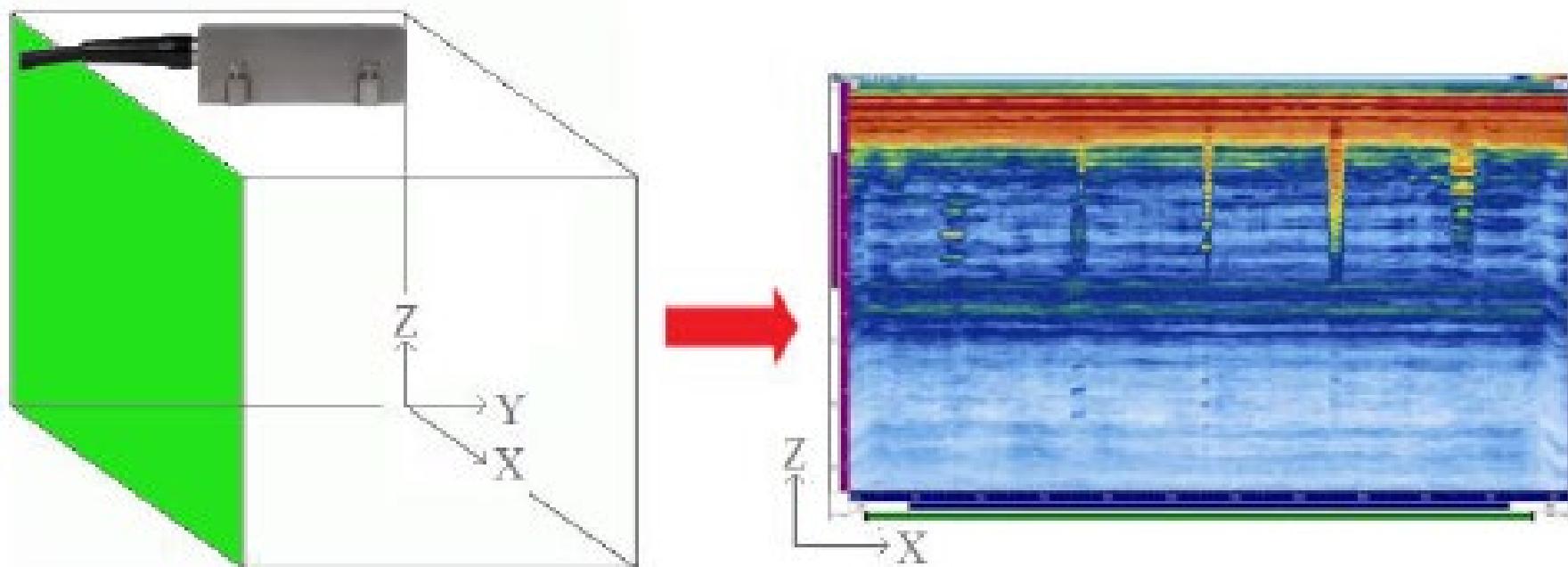
Adapting the waveform for the material under test



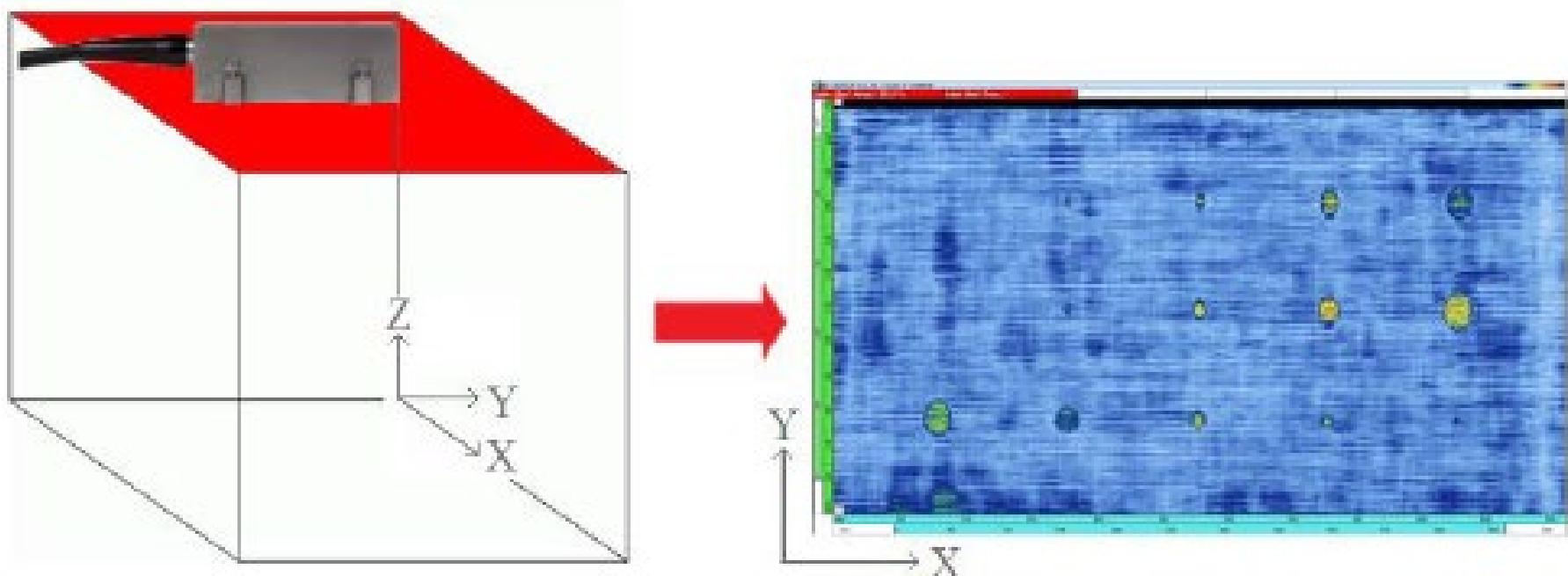
A-Scan



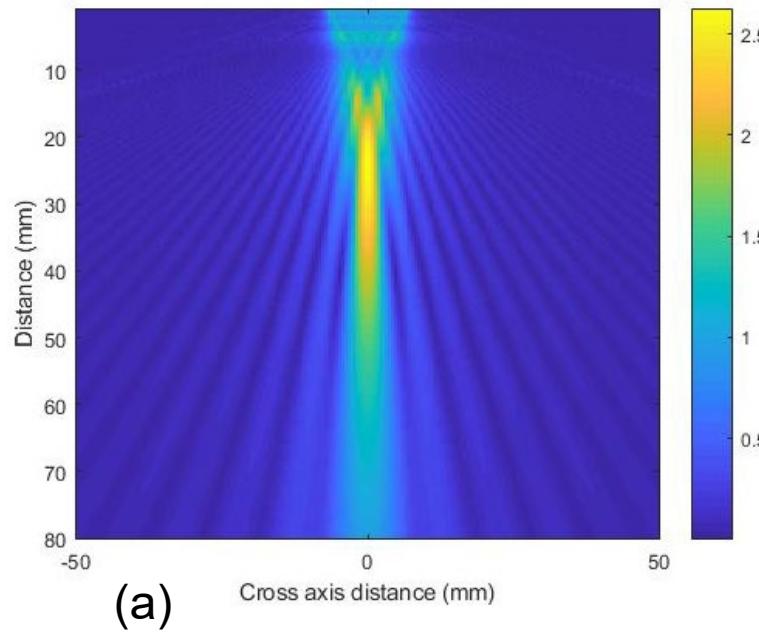
B-Scan



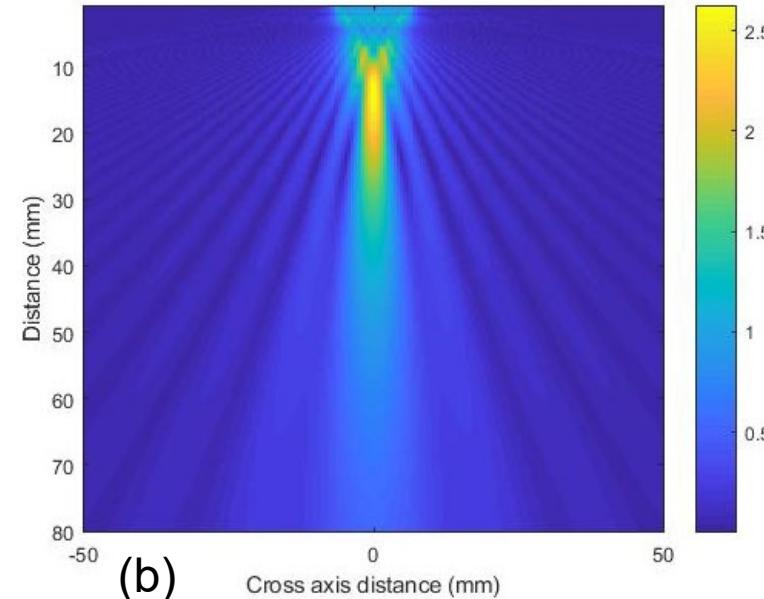
C-Scan



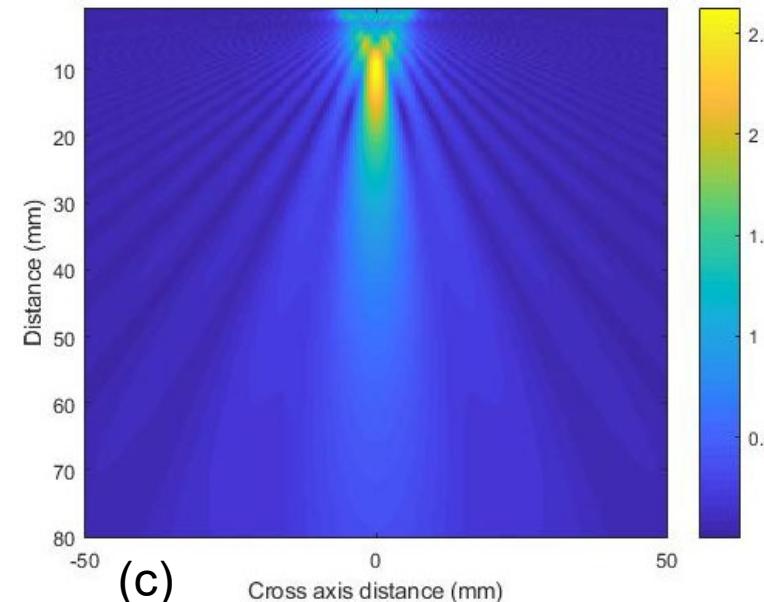
Beam focusing in anisotropic materials



(a)



(b)



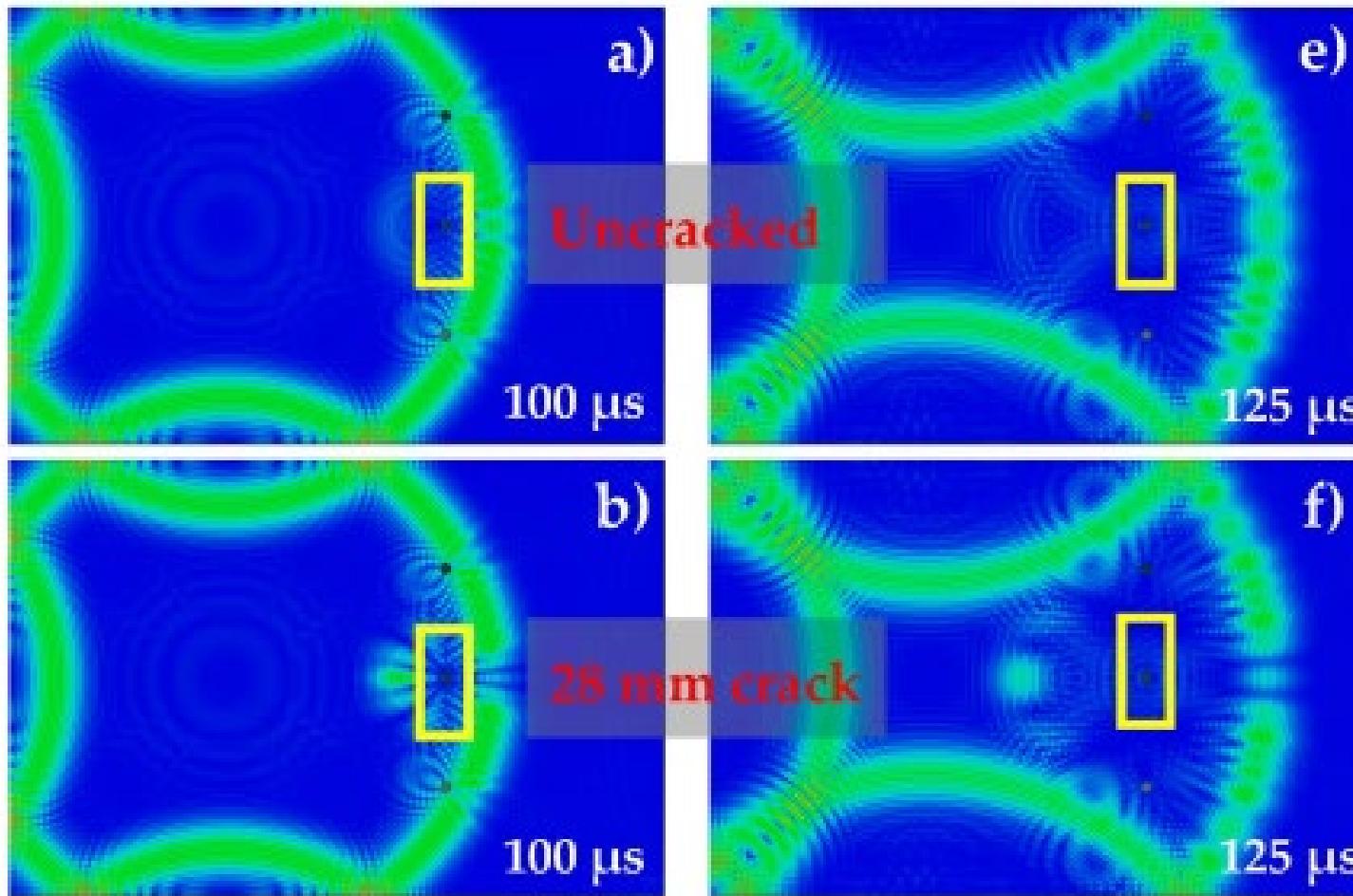
(c)

Beam field: (a) $C = E = 0$, (b) $C = E = -2.5 \text{ mm}/\mu\text{s}$, and (c) $C = E = -4.9 \text{ mm}/\mu\text{s}$.

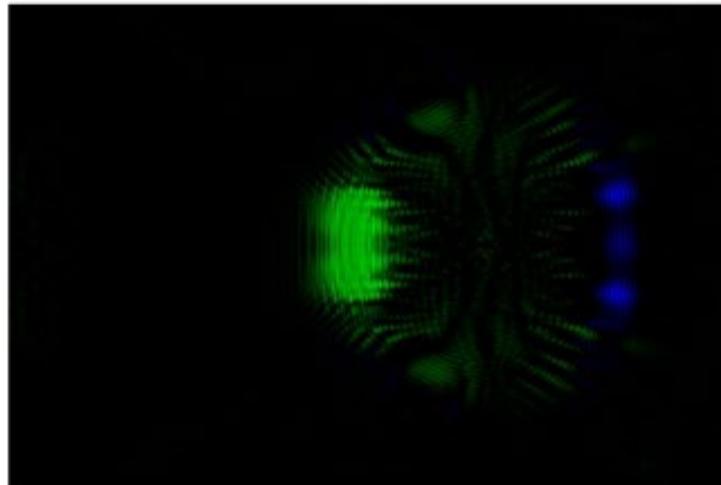
Anand C, Delrue S, Jeong H, Shroff S, Groves RM, Benedictus R. Simulation of Ultrasonic Beam Propagation from Phased Arrays in Anisotropic Media using Linearly Phased Multi Gaussian beams. IEEE Transactions on Ultrasonics, Ferroelectrics, and Frequency Control, 67(1), pp. 106 – 116, 2020.

Guided wave ultrasonics for SHM

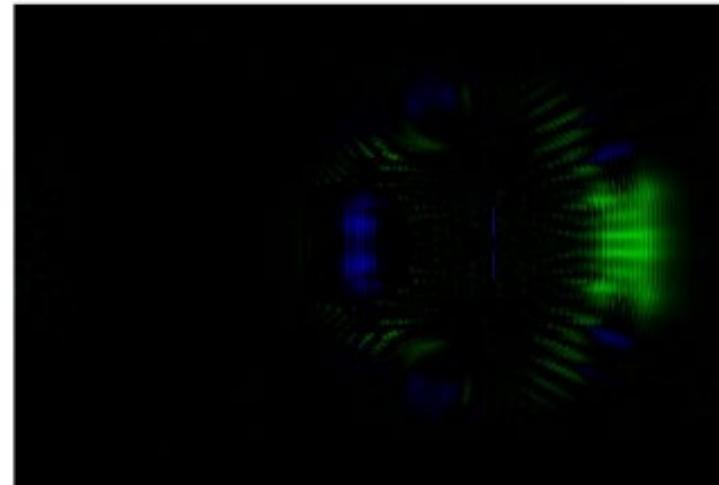
Guided waves for no defect and 38 mm crack



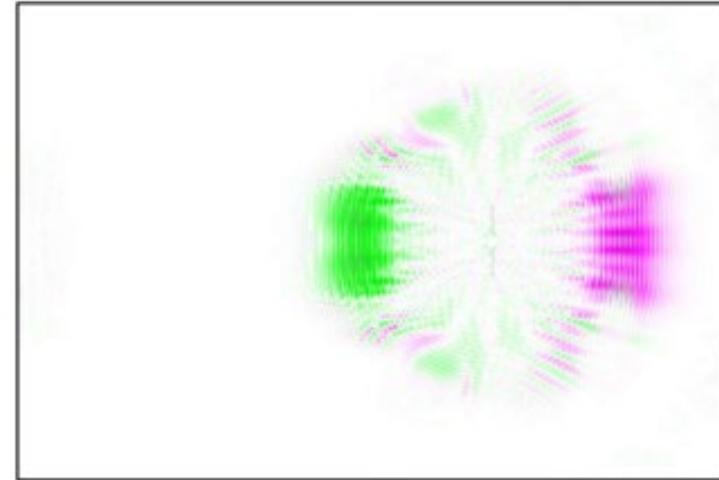
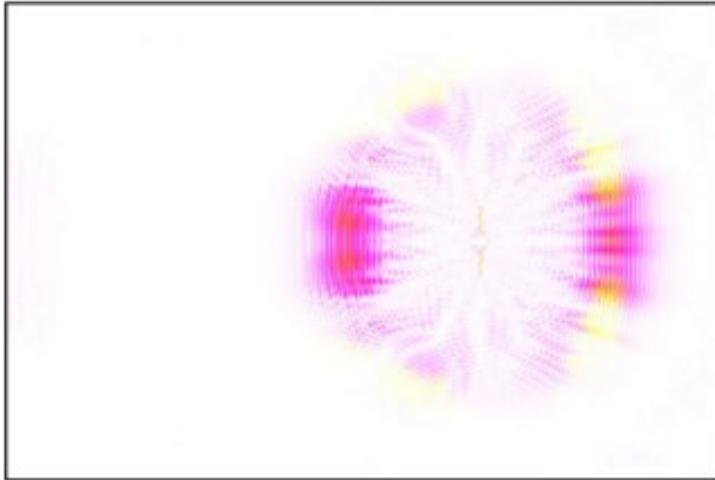
Difference between defect / no defect images



(a)

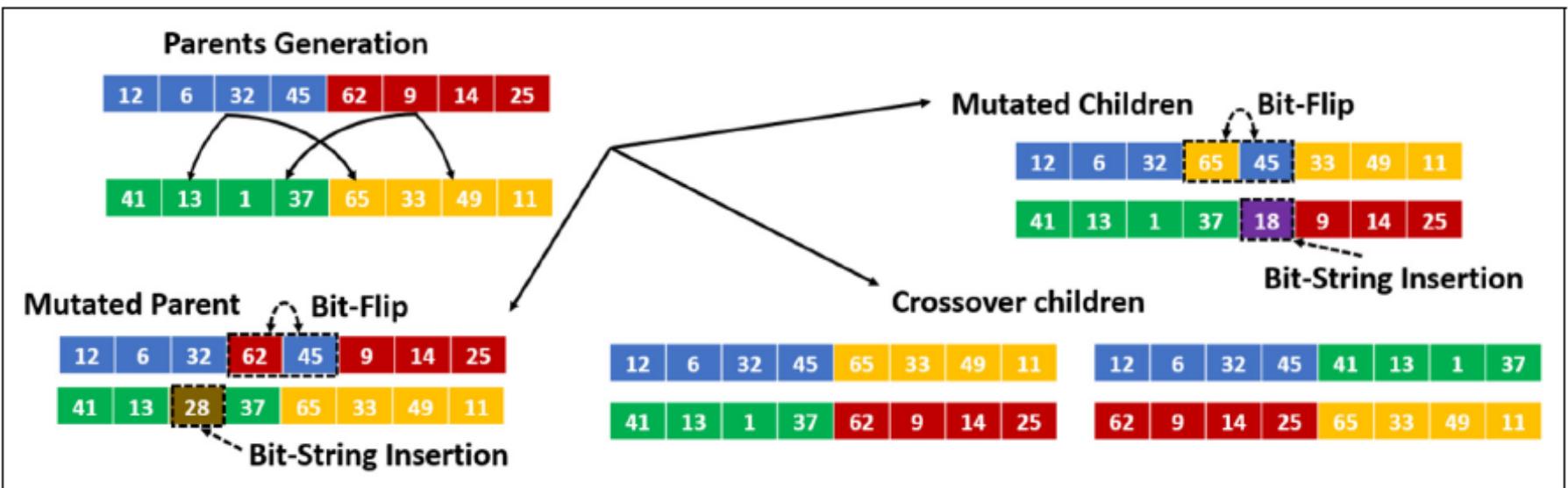


(b)

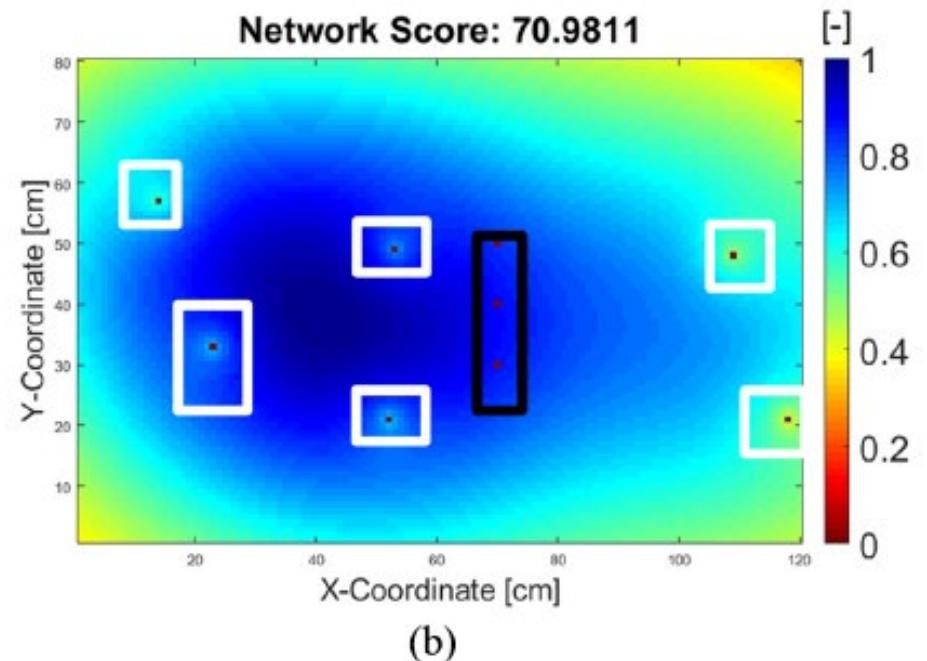
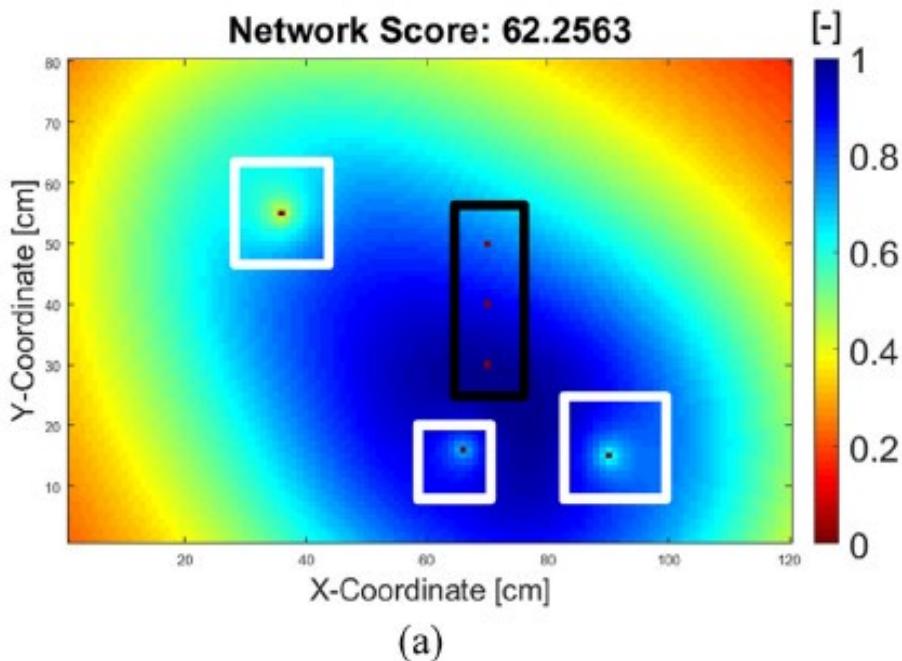


AI Methods

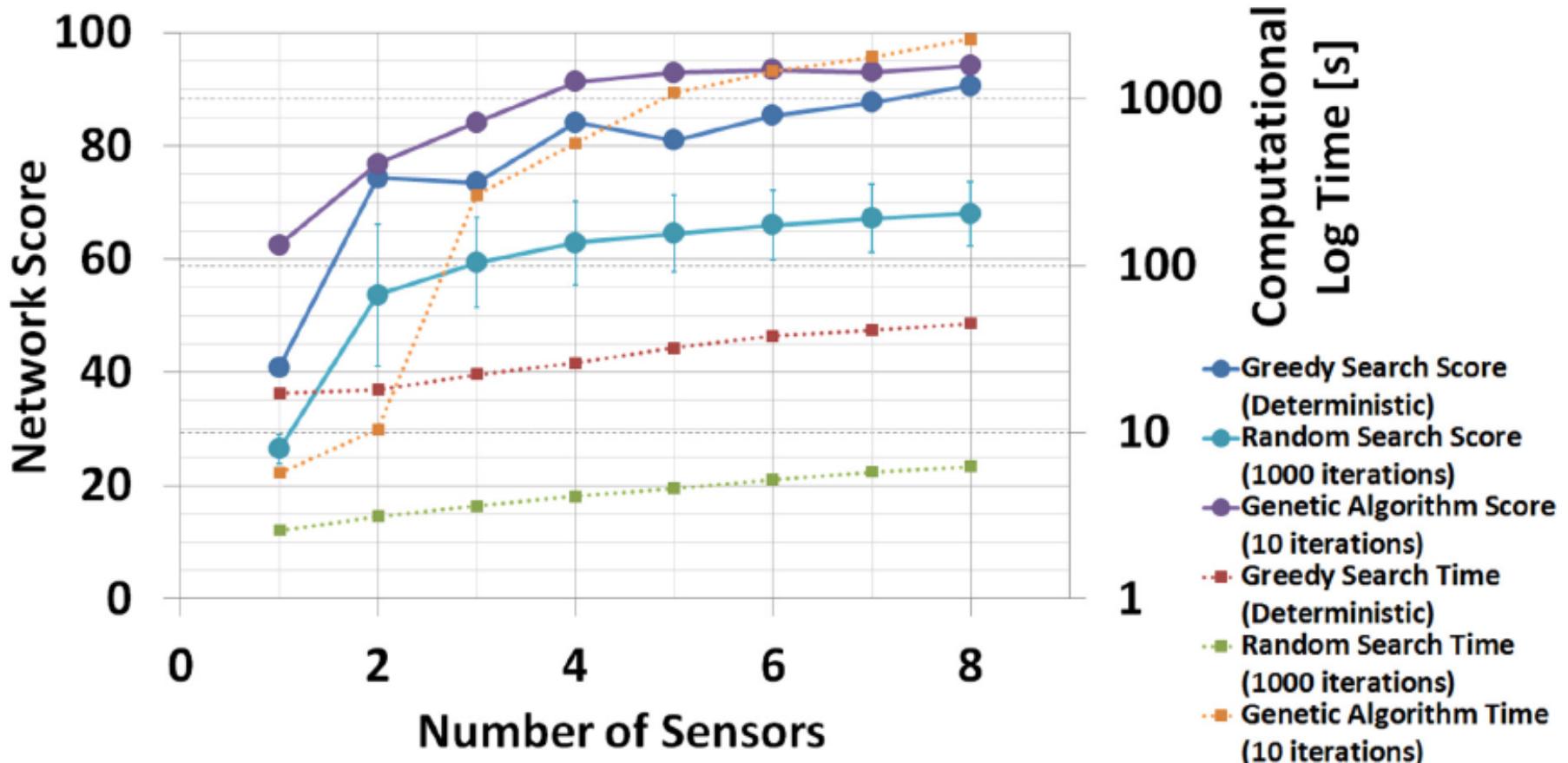
1. Random algorithm
2. Greedy algorithm
3. Genetic algorithm



Network score as a metric



Comparing AI algorithms



**Thank you
for your
attention!**

